

Software Package to Calculate the Effects of Core hole and Surface Excitations on XPS and AES

Sven Tougaard , Francisco Yubero

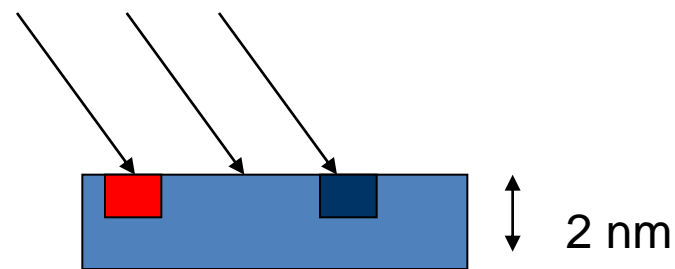
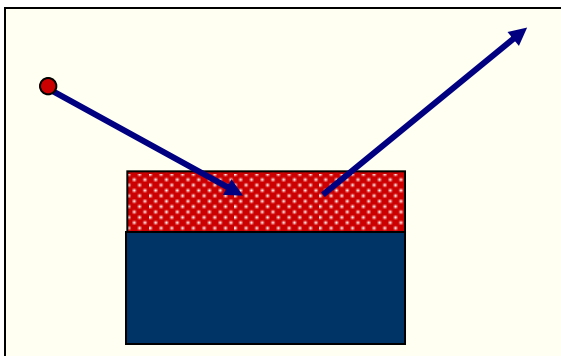
QUEELS-XPS software package Semi-classical dielectric response model

1. Intro: REELS Semi-classical dielectric response model
2. The XPS- Semiclassical dielectric response model
Intrinsic and extrinsic excitations
3. The QUEELS-XPS software package
4. The validity of the model
quantitative comparison with experiments

1. Intro: REELS Semi-classical dielectric response model
QUEELS- $\epsilon(k,\omega)$ -REELS software package
2. The XPS- Semiclassical dielectric response model
Extrinsic and intrinsic excitations
3. The QUEELS-XPS software Package
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Dielectric response model for REELS

Tougaard and Chorkendorff Phys Rev B35, 6570 (1987)
Yubero and Tougaard Phys Rev B46, 2486 (1992)
Yubero, Sanz, Ramskov, Tougaard Phys Rev B53, 9719 (1996)



Low energies are necessary

Surface effects and k-dispersion effects are important

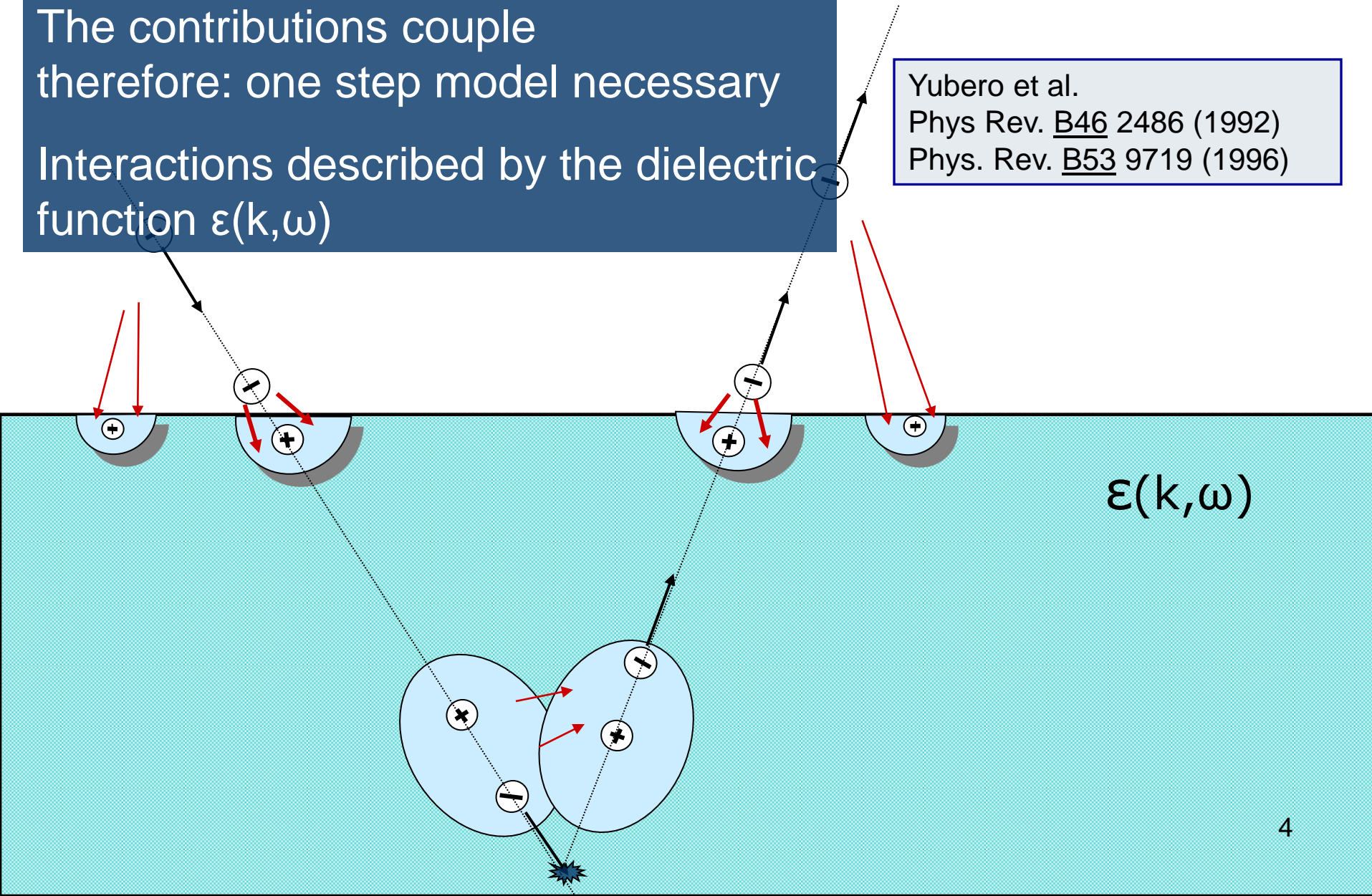
Quantitative determination of
dielectric function
optical properties
of nano-meter thin films

Semiclassical dielectric response model for REELS

The contributions couple
therefore: one step model necessary

Interactions described by the dielectric
function $\epsilon(k, \omega)$

Yubero et al.
Phys Rev. B46 2486 (1992)
Phys. Rev. B53 9719 (1996)



Each term can be found from the following expressions:

$\epsilon(k, \omega)$ is the only unknown

$$\gamma(k_{\perp} - \Omega_i) - i \frac{e^{-i(k_{\perp} - \Omega_i)a}}{k_{\perp} - \Omega_i} \Bigg\}, \quad (17)$$

$$K_{\text{eff}}^{M_i} = \text{Re} \left\{ \frac{1}{(2\pi)^4 \hbar^2 \omega x} \int d\mathbf{k} \left(k_{\perp} + k_{\parallel} \frac{v_{\perp i}}{v_{\parallel i}} \right) e^{i k_{\perp} a} \Phi_{\text{ind}}^M(\mathbf{k}, \omega) \left[\frac{1 - e^{-i(k_{\perp} - \Omega_i)a}}{k_{\perp} - \Omega_i} \right] \right\}, \quad (18)$$

$$K_{\text{eff}}^{V_o} = \text{Re} \left\{ \frac{-2ie}{(2\pi)^4 \hbar^2 \omega x} \int d\mathbf{k} \left(k_{\perp} - k_{\parallel} \frac{v_{\parallel o}}{v_{\perp o}} \right) e^{i k_{\perp} a} \Phi_{\text{ind}}^V(\mathbf{k}, \omega) \left[\pi \delta(k_{\perp} + \Omega_o) - i \frac{e^{-i(k_{\perp} + \Omega_o)a}}{k_{\perp} + \Omega_o} \right] \right\}, \quad (19)$$

$$K_{\text{eff}}^{M_o} = \text{Re} \left\{ \frac{2e}{(2\pi)^4 \hbar^2 \omega x} \int d\mathbf{k} \left(k_{\perp} - k_{\parallel} \frac{v_{\parallel o}}{v_{\perp o}} \right) e^{i k_{\perp} a} \Phi_{\text{ind}}^M(\mathbf{k}, \omega) \left[\frac{1 - e^{-i(k_{\perp} + \Omega_o)a}}{k_{\perp} + \Omega_o} \right] \right\}. \quad (20)$$

Equations (16)–(20) give the solution to the problem of finding K_{eff} for a general REELS geometry. However, in the following we will consider approximations that allow some integrals to be done analytically.

The integrals in momentum are given by the conservation laws for energy and momentum. Unfortunately a complete analytical integration is not possible. However, with cylindrical coordinates ($d\mathbf{k} = 2\pi k_{\perp} dk_{\perp} dk_{\parallel}$) and extending the limits of integration over k_{\perp} to $-\infty < k_{\perp} < +\infty$, the integral over k_{\perp} can be done analytically. With this approximation we do not expect large errors because the main contribution to the integral comes from small values of k , and the integrand decreases roughly as $1/k^3$ for $k \rightarrow \pm\infty$ using the functional shape for the ELF as in Eq. (30) (see below). Assuming again $\epsilon = \epsilon(k_{\parallel}, \omega)$, it is found that

$$K_{\text{eff}}^{V_i} = \text{Re} \left\{ \frac{e}{\hbar^2 \omega \pi x} \frac{v_{\perp i} + i v_{\parallel i}}{v_{\perp i}} \int dk_{\parallel} \frac{\epsilon - 1}{\epsilon + 1} \frac{k_{\parallel}(k_{\parallel} + i\Omega_i)}{k_{\parallel}^2 + \Omega_i^2} e^{i\Omega_i a} [F^{MM}(k_{\parallel}) + F^{MV}(k_{\parallel})] \right\}, \quad (21)$$

$$K_{\text{eff}}^{V_o} = \text{Re} \left\{ \frac{-e}{\hbar^2 \omega \pi x} \frac{v_{\perp o} - i v_{\parallel o}}{v_{\perp o}} \int dk_{\parallel} \frac{\epsilon - 1}{\epsilon + 1} \frac{k_{\parallel}(k_{\parallel} - i\Omega_o)}{k_{\parallel}^2 + \Omega_o^2} e^{-i\Omega_o a} [F^{MM}(k_{\parallel}) + F^{MV}(k_{\parallel})] \right\}, \quad (22)$$

$$\begin{aligned} K_{\text{eff}}^{M_i} = & \text{Re} \left\{ \frac{-2ie^2}{\hbar^2 \pi v_{\perp i}^2 x} \frac{a}{x} \int dk_{\parallel} \left(\frac{1}{\epsilon - 1} \right) \frac{k_{\parallel}}{k_{\parallel}^2 + \Omega_i^2} \right\} + \text{Re} \left\{ \frac{-2e^2}{\hbar^2 \pi v_{\perp o} \omega x} \int dk_{\parallel} \left(\frac{1}{\epsilon - 1} \right) \frac{e^{i(\Omega_i + \Omega_o) - 1}}{\Omega_i + \Omega_o} \frac{k_{\parallel}}{k_{\parallel}^2 + \Omega_o^2} \left[k_{\parallel} \left(\frac{v_{\parallel i}}{v_{\perp i}} + \frac{v_{\parallel o}}{v_{\perp o}} \right) \right. \right. \\ & \left. \left. - \frac{\omega}{v_{\perp o}} \right] \right\} + \text{Re} \left\{ \frac{e}{\hbar^2 \pi \omega x} \frac{v_{\perp i} - i v_{\parallel i}}{v_{\perp i}} \int dk_{\parallel} \left(\frac{1}{\epsilon - 1} \right) \frac{k_{\parallel}(k_{\parallel} - i\Omega_i)}{k_{\parallel}^2 + \Omega_i^2} (e^{-k_{\parallel} a} - e^{i\Omega_i a}) \rho_1^M(k_{\perp} = ik_{\parallel}) \right\} \\ & + \text{Re} \left\{ \frac{e}{\hbar^2 \pi \omega x} \frac{v_{\perp i} + i v_{\parallel i}}{v_{\perp i}} \int dk_{\parallel} \left(\frac{1}{\epsilon - 1} \right) \frac{k_{\parallel}(k_{\parallel} + i\Omega_i)}{k_{\parallel}^2 + \Omega_i^2} (e^{k_{\parallel} a} - e^{i\Omega_i a}) \rho_2^M(k_{\perp} = -ik_{\parallel}) \right\} \\ & + \text{Re} \left\{ \frac{e}{\hbar^2 \pi^2 \omega x} \frac{v_{\perp i} - i v_{\parallel i}}{2v_{\perp i}} \int dk_{\parallel} \left[\frac{(\epsilon + 2)(\epsilon - 1)}{\epsilon(\epsilon + 1)} F^{MM}(k_{\parallel}) - \frac{\epsilon - 1}{\epsilon + 1} F^{MV}(k_{\parallel}) \right] \frac{k_{\parallel}(k_{\parallel} - i\Omega_i)}{k_{\parallel}^2 + \Omega_i^2} (e^{-k_{\parallel} a} - e^{i\Omega_i a}) \right\}, \quad (23) \end{aligned}$$

$$\begin{aligned} K_{\text{eff}}^{M_o} = & \text{Re} \left\{ \frac{-2ie^2}{\hbar^2 \pi v_{\perp o}^2 x} \frac{a}{x} \int dk_{\parallel} \left(\frac{1}{\epsilon - 1} \right) \frac{k_{\parallel}}{k_{\parallel}^2 + \Omega_o^2} \right\} + \text{Re} \left\{ \frac{2e^2}{\hbar^2 \pi v_{\perp i} \omega x} \int dk_{\parallel} \left(\frac{1}{\epsilon - 1} \right) \frac{e^{-i(\Omega_i + \Omega_o) - 1}}{\Omega_i + \Omega_o} \frac{k_{\parallel}}{k_{\parallel}^2 + \Omega_i^2} \left[k_{\parallel} \left(\frac{v_{\parallel i}}{v_{\perp i}} + \frac{v_{\parallel o}}{v_{\perp o}} \right) \right. \right. \\ & \left. \left. - \frac{\omega}{v_{\perp i}} \right] \right\} + \text{Re} \left\{ \frac{-e}{\hbar^2 \pi \omega x} \frac{v_{\perp o} + i v_{\parallel o}}{v_{\perp o}} \int dk_{\parallel} \left(\frac{1}{\epsilon - 1} \right) \frac{k_{\parallel}(k_{\parallel} + i\Omega_o)}{k_{\parallel}^2 + \Omega_o^2} (e^{-k_{\parallel} a} - e^{-i\Omega_o a}) \rho_1^M(k_{\perp} = ik_{\parallel}) \right\} \\ & + \text{Re} \left\{ \frac{-e}{\hbar^2 \pi \omega x} \frac{v_{\perp o} - i v_{\parallel o}}{v_{\perp o}} \int dk_{\parallel} \left(\frac{1}{\epsilon - 1} \right) \frac{k_{\parallel}(k_{\parallel} - i\Omega_o)}{k_{\parallel}^2 + \Omega_o^2} (e^{k_{\parallel} a} - e^{-i\Omega_o a}) \rho_2^M(k_{\perp} = -ik_{\parallel}) \right\} \\ & + \text{Re} \left\{ \frac{-e}{\hbar^2 \pi^2 \omega x} \frac{v_{\perp o} + i v_{\parallel o}}{2v_{\perp o}} \int dk_{\parallel} \left[\frac{(\epsilon + 2)(\epsilon - 1)}{\epsilon(\epsilon + 1)} F^{MM}(k_{\parallel}) - \frac{\epsilon - 1}{\epsilon + 1} F^{MV}(k_{\parallel}) \right] \frac{k_{\parallel}(k_{\parallel} + i\Omega_o)}{k_{\parallel}^2 + \Omega_o^2} (e^{-k_{\parallel} a} - e^{-i\Omega_o a}) \right\}. \quad (24) \end{aligned}$$

Notice that $K_{\text{eff}}^{V_o, M_o}$ can be obtained from $K_{\text{eff}}^{V_i, M_i}$ by making the changes $v_{\perp o} \rightarrow -v_{\perp i}$, $v_{\perp i} \rightarrow -v_{\perp o}$, $v_{\parallel i} \rightarrow v_{\parallel o}$, and $v_{\parallel o} \rightarrow v_{\parallel i}$. Note also that in general $K_{\text{eff}}(E_o, \hbar\omega, a, \theta_o, \theta_i) \neq K_{\text{eff}}(E_o, \hbar\omega, a, \theta_o, \theta_i)$, i.e., the losses experienced by the electron depend not only on the line trajectory followed but also on the sense in which it is done. However, in practice the difference is very small.

We must discuss now the limits in which the present model can be compared with model B in Ref. 9. That model is valid for normal incidence and exit angles of the electrons. This situation is given in the present model by considering $v_{\parallel i} = v_{\parallel o} = 0$ and $v_{\perp i} = v_{\perp o} = v$, which gives

Compare model calculation
to REELS-experiment

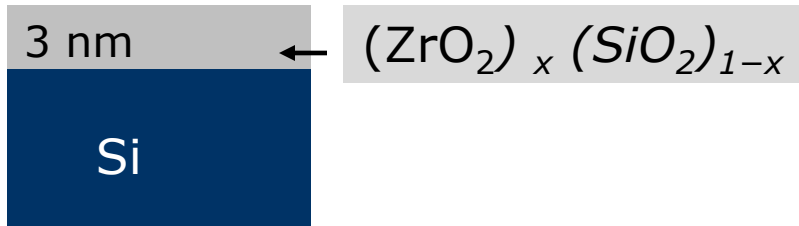


Determination of the dielectric
function $\epsilon(k, \omega)$

QUEELS- $\epsilon(k, \omega)$ -REELS
software was developed
to easily do this

Application to Si-gate oxides

Tahir et al. J. Appl. Phys 106 (2009) 084108

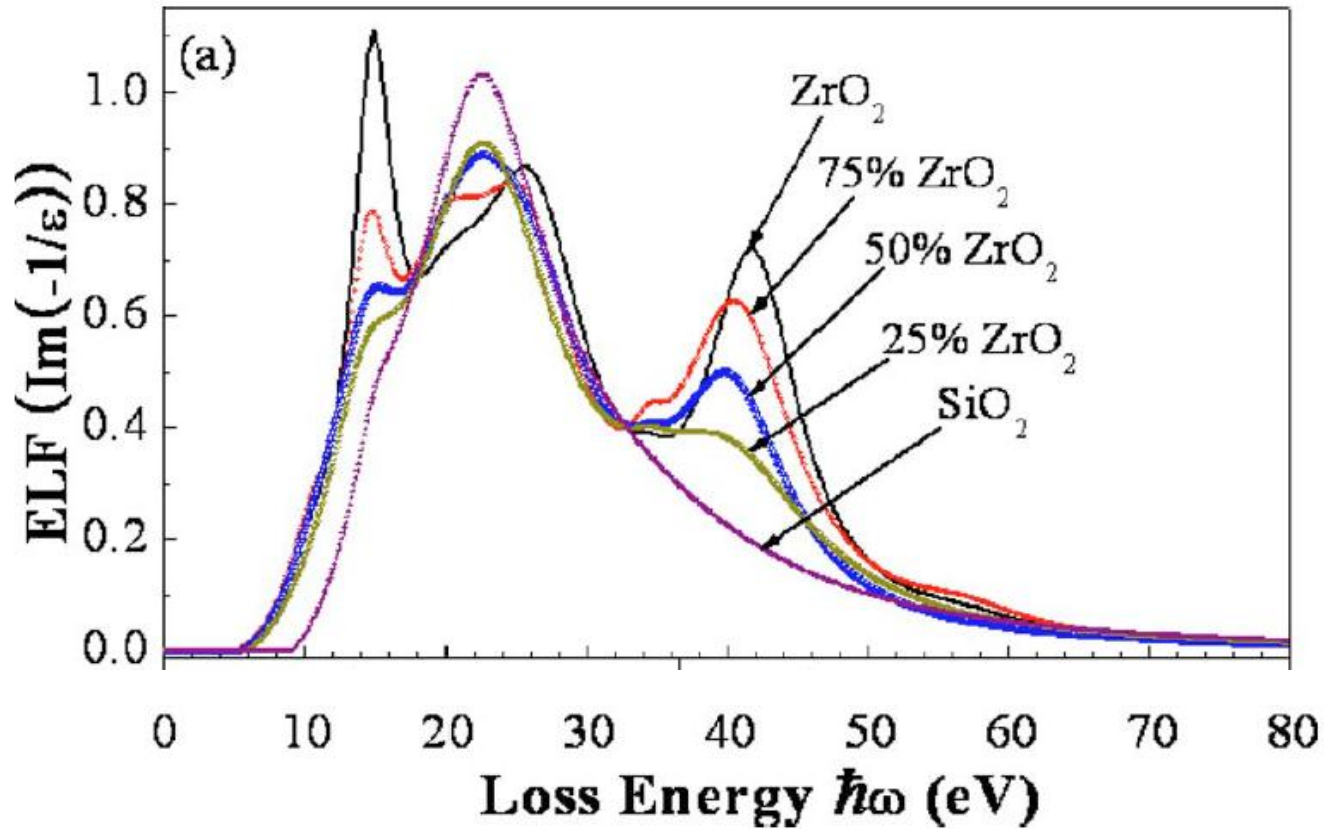
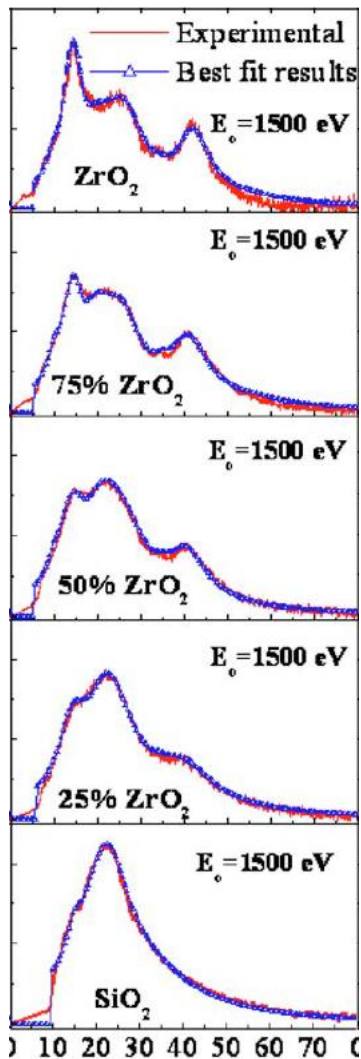


REELS exp
comp to theory

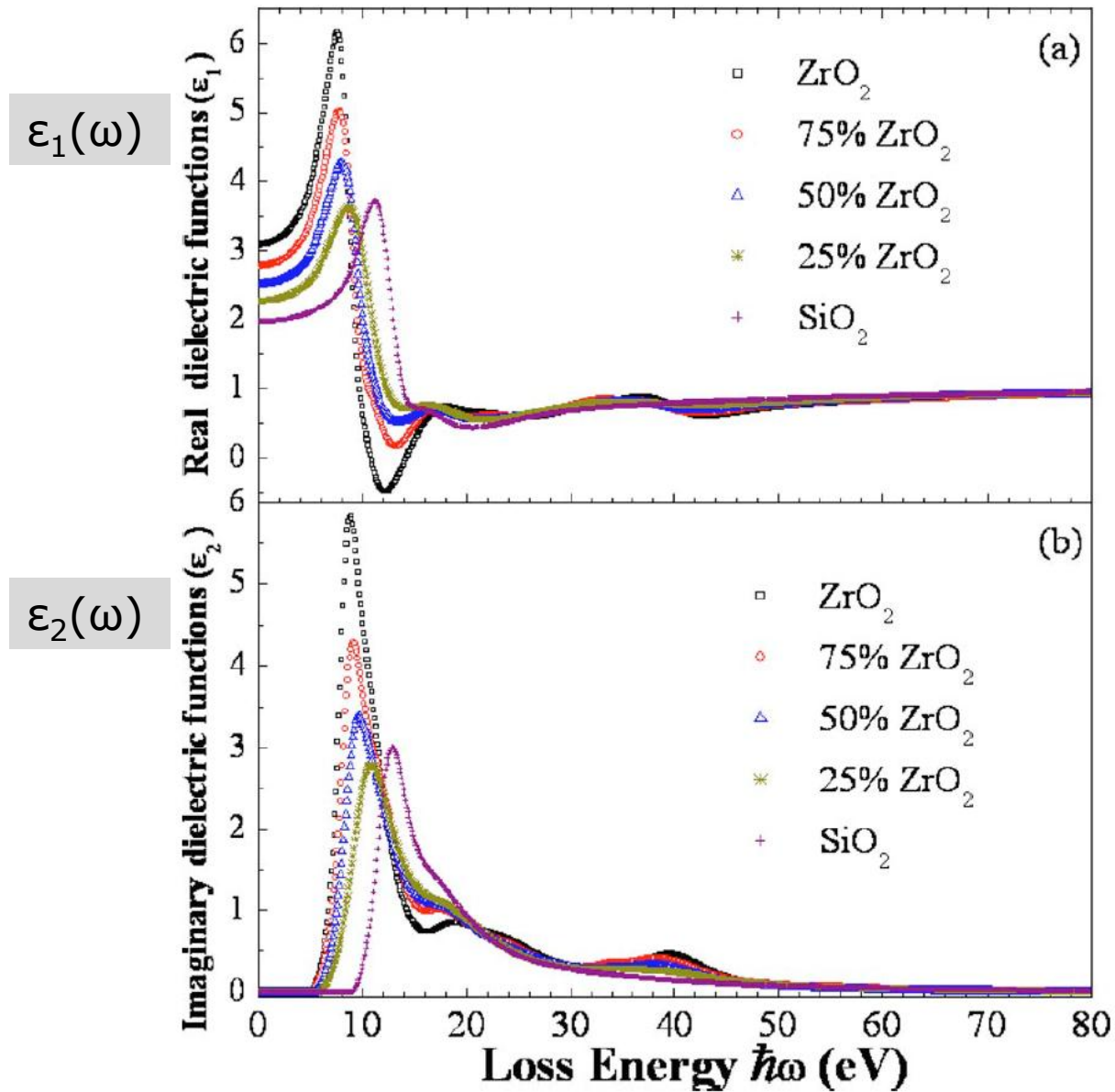


$\text{Im} [-1/\epsilon(k, \omega)]$

$(\text{ZrO}_2)_x (\text{SiO}_2)_{1-x}$

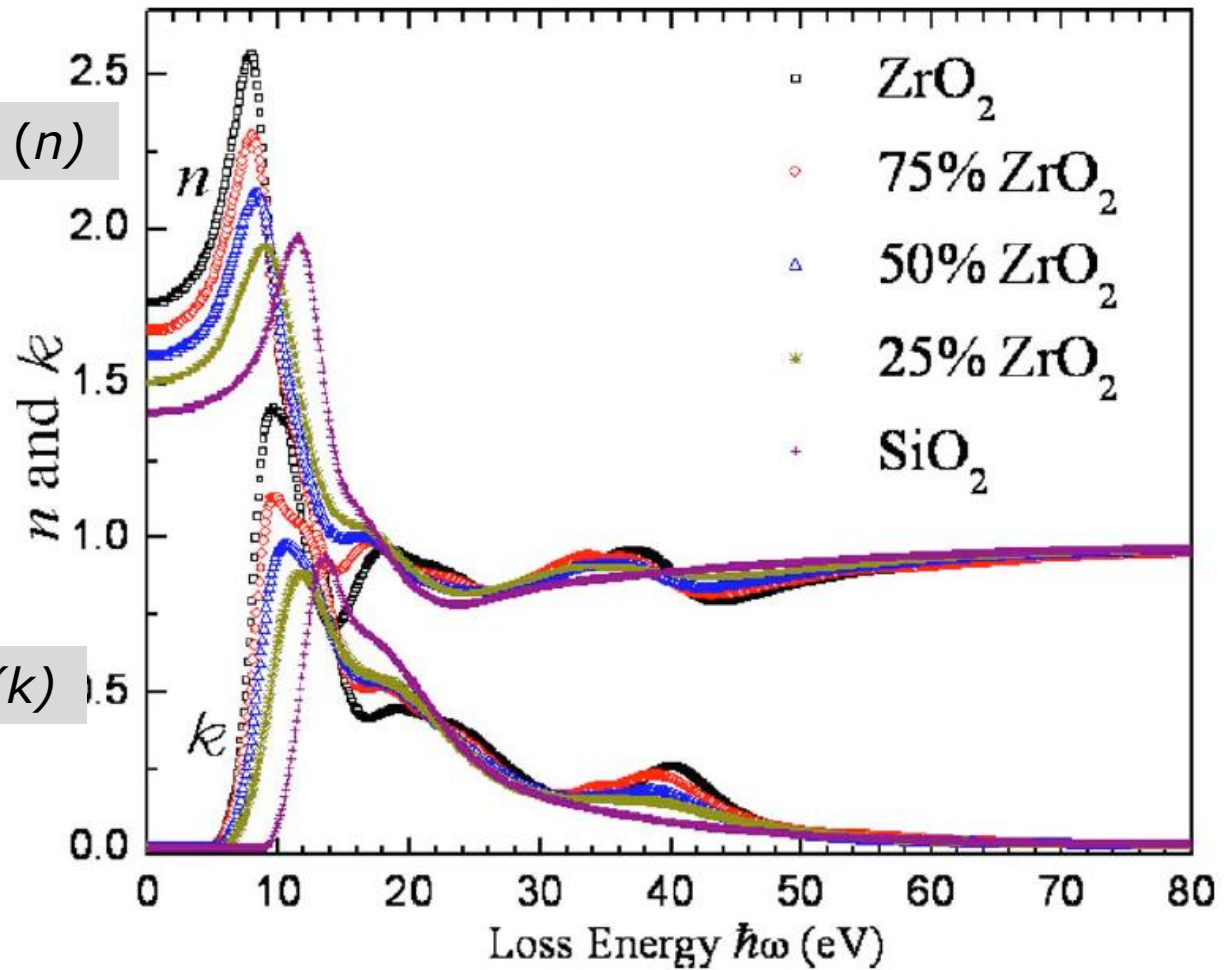


$$\epsilon(\omega) = \epsilon_1(\omega) + i\epsilon_2(\omega)$$



Index of refraction (n)

Extinction coefficient (k)



QUEELS- $\epsilon(k, \omega)$ -REELS
software package

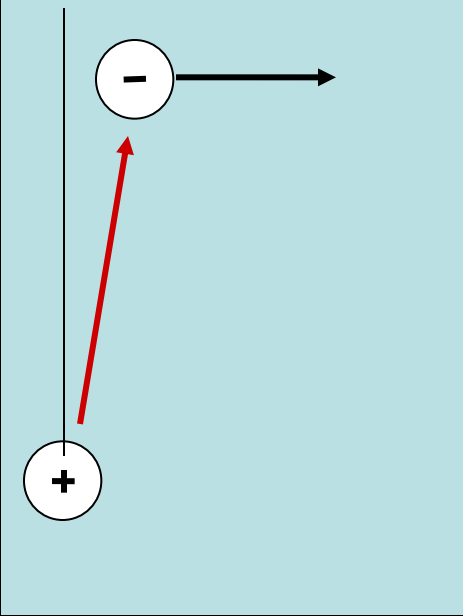
www.quases.com

QUEELS-XPS software package

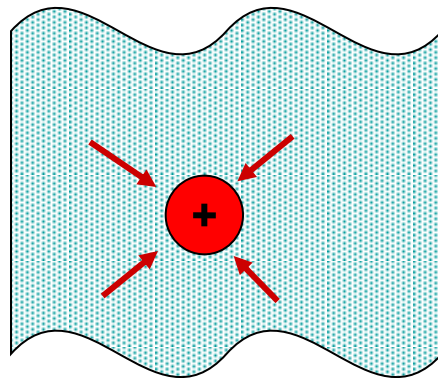
Semi-classical dielectric response model

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Photo excitation

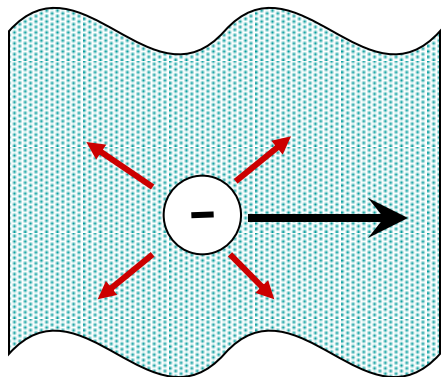


Intrinsic and extrinsic excitations:



Sudden creation of a core hole
Intrinsic Shake-up excitations

+



Moving electron
Extrinsic Energy loss

The contributions interfere and cannot be separated

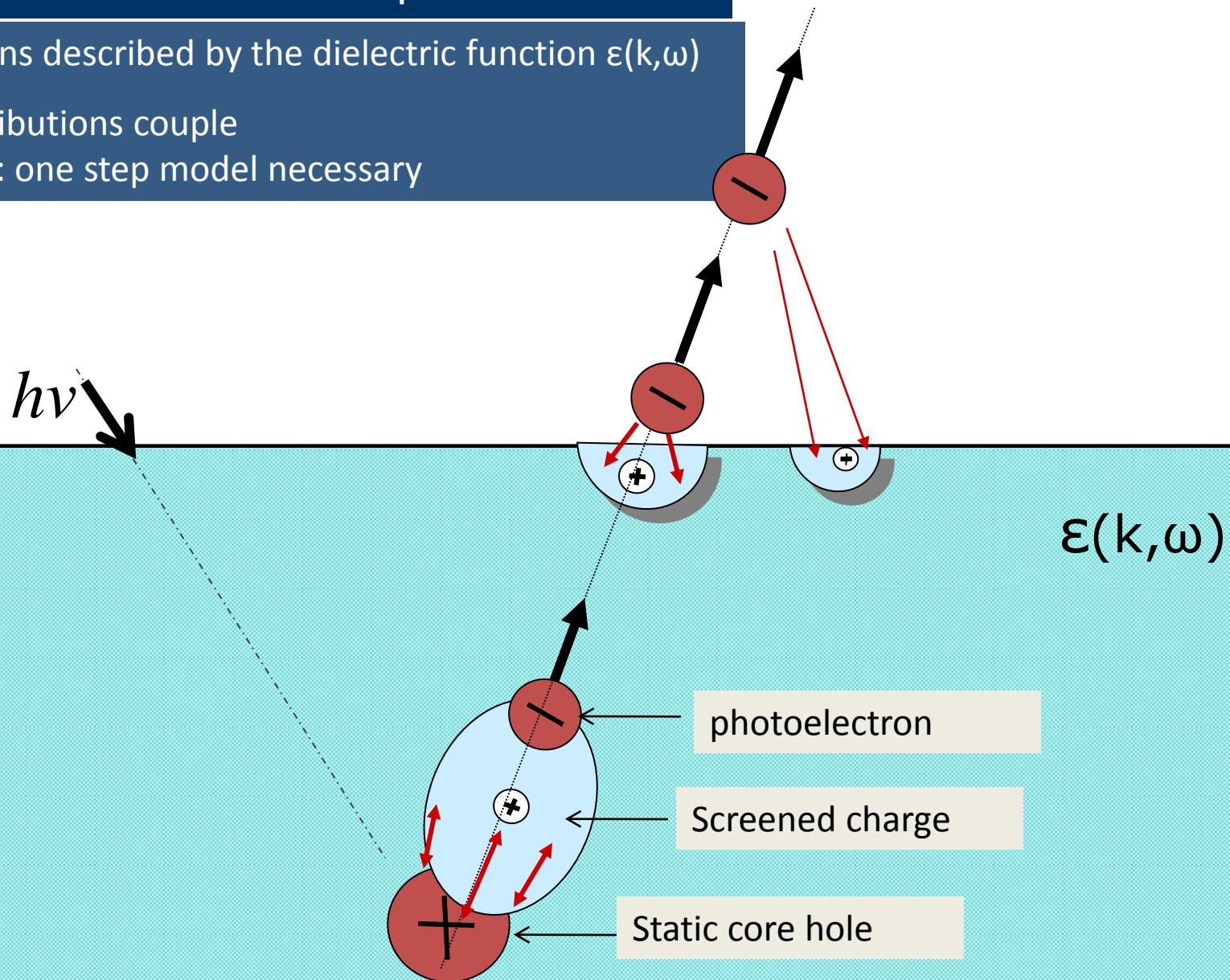
XPS

Semiclassical dielectric response model

Interactions described by the dielectric function $\epsilon(k, \omega)$

The contributions couple
therefore: one step model necessary

Phys. Rev.B56 (1997)1612



$$\mathbf{K}_{\text{eff}} = \mathbf{K}_{M1} + \mathbf{K}_{M2} + \mathbf{K}_{M3} + \mathbf{K}_V$$

$$K_{M1} = \frac{\cos \theta}{\pi a_0 E_{\perp}} \operatorname{Re} \left[i \int k_{\parallel} dk_{\parallel} \frac{(1/\epsilon - 1)}{\Omega_0^2 + k_{\parallel}^2} \right] + \frac{-1}{2\pi E_{\perp} a_0 x \omega_{\perp}} \operatorname{Re} \left[i \int k_{\parallel} dk_{\parallel} \frac{(1/\epsilon - 1)}{(\Omega_0^2 + k_{\parallel}^2)^2} \left\{ \left(i + \frac{\nu_{\parallel}}{\nu_{\perp}} \right) (\Omega_0 + ik_{\parallel})^2 (e^{-i\Omega_0 a} - e^{-k_{\parallel} a}) - 1 \right. \right. \\ \left. \left. + \left(-i + \frac{\nu_{\parallel}}{\nu_{\perp}} \right) (\Omega_0 - ik_{\parallel})^2 (e^{i\Omega_0 a} - e^{-k_{\parallel} a}) + \left(i - \frac{\nu_{\parallel}}{\nu_{\perp}} \right) (e^{-i\Omega_0 a} - e^{-k_{\parallel} a}) (e^{i\Omega_0 a} - e^{-k_{\parallel} a}) (\Omega_0^2 + k_{\parallel}^2) \right\} \right], \quad (13)$$

$$K_{M2} = \frac{-1}{2\pi E_{\perp} a_0 x \omega_{\perp}} \operatorname{Re} \left[\left(\pi \delta(\omega_{\perp}) + \frac{i}{\omega_{\perp}} \right) \int k_{\parallel} dk_{\parallel} \frac{(1/\epsilon - 1)}{\Omega_0^2 + k_{\parallel}^2} \left\{ \left(i + \frac{\nu_{\parallel}}{\nu_{\perp}} \right) (\Omega_0 + ik_{\parallel}) (1 - e^{-k_{\parallel} a - i\Omega_0 a}) \right. \right. \\ \left. \left. + \left(-i + \frac{\nu_{\parallel}}{\nu_{\perp}} \right) (\Omega_0 - ik_{\parallel}) (e^{-2k_{\parallel} a} - e^{-k_{\parallel} a - i\Omega_0 a}) \right\} \right], \quad (14)$$

$$K_{M3} = \frac{-1}{2\pi E_{\perp} a_0 x \omega_{\perp}} \operatorname{Re} \left[i \int k_{\parallel} dk_{\parallel} \frac{(-i + \nu_{\parallel}/\nu_{\perp})(\Omega_0 - ik_{\parallel})(e^{-k_{\parallel} a} - e^{-i\Omega_0 a})}{\Omega_0^2 + k_{\parallel}^2} \left\{ \frac{(\epsilon - 1)(\epsilon + 2)}{\epsilon(\epsilon + 1)} \left[(e^{i\Omega_0 a} - e^{-k_{\parallel} a}) \left(\frac{\Omega_0 + ik_{\parallel}}{\Omega_0^2 + k_{\parallel}^2} \right) \right. \right. \right. \\ \left. \left. - i \left(\pi \delta(\omega_{\perp}) + \frac{i}{\omega_{\perp}} \right) e^{-k_{\parallel} a} \right] + \frac{(\epsilon - 1)}{(\epsilon + 1)} \left(\frac{\Omega_0 - ik_{\parallel}}{\Omega_0^2 + k_{\parallel}^2} \right) e^{i\Omega_0 a} \right\} \right], \quad (15)$$

$$K_V = \frac{1}{2\pi E_{\perp} a_0 x \omega_{\perp}} \operatorname{Re} \left[\int k_{\parallel} dk_{\parallel} \frac{(1 - \epsilon)}{(1 + \epsilon)} \frac{(1 - i\nu_{\parallel}/\nu_{\perp})(\Omega_0 + ik_{\parallel}) e^{-i\Omega_0 a}}{\Omega_0^2 + k_{\parallel}^2} \left\{ \frac{2ik_{\parallel} e^{i\Omega_0 a} - (\Omega_0 + ik_{\parallel}) e^{-k_{\parallel} a}}{\Omega_0^2 + k_{\parallel}^2} \right. \right. \\ \left. \left. - i \left(\pi \delta(\omega_{\perp}) + \frac{i}{\omega_{\perp}} \right) e^{-k_{\parallel} a} \right\} \right],$$

$\epsilon(k, \omega)$ is the only unknown

QUEELS-XPS
software package

Tougaard, Yubero
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QUEELS-XPS software package

Semi-classical dielectric response model

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QUEELS-XPS software

XPS-Simulation

File Tools Tools exclusively for the L_K spectrum View Copyright

XPS Simulation

c: [Vista] ELF-Si
EnergyLossFunction.dll

C:\
Program Files
Quases-Tougaard
QUEELS-XPS Simulation
Data

x: .00, y: 0.00E+00

Calculates XPS spectra

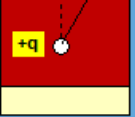
Exit

Set ELF oscillators

Calculate set of cross sections

Calculate averaged cross section $K_{eff,av}$ for XPS

Geometry



The diagram illustrates the geometry of XPS. A red rectangular surface is shown with a yellow rectangular core at the bottom. A white dot on the surface represents the electron source, with a yellow box containing '+q' next to it. A dashed vertical line represents the normal to the surface. An angle θ is shown between the normal and the direction of the photoelectron emission. A double-headed arrow labeled 'X0' indicates the thickness of the core.

Information

The software package calculates

1. Effective cross sections for photoelectrons excited at 65 different depths (eq.(2) in ref.[1]).
2. From the cross sections calculated in 1., the XPS - energy loss spectrum is calculated for a film of any thickness.

The material is characterized by its dielectric response function ELF.

The calculation take into account the effect of the core

The calculations build on the theory in

1. AC Simonsen, F Yubero, and S Tougaard Phys. Rev. B56, p. 1612 (1997)

Examples of its practical use can be found in:

2. F Yubero and S Tougaard Phys Rev B71, 045414 (2005)
3. F Yubero, L Kover, W Drube, T Eickhoff, S Tougaard, Surf. Sci. 592 p. 1 (2005)
4. Z Berenyi et al, J Electr. Spectr and Rel. Phen. 135, p. 177 (2004)
5. L. Kover et al. Surf. Interf. Anal. 38, p. 569 (2006)
6. S Tougaard, F Yubero Surf Interf Anal. 36, p. 824 (2004)

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and
Francisco Yubero ICMS, Seville, Spain

The software is free for non commercial use

XPS Simulation

c: [Vista]

C:\

- Program Files
- Quases-Tougaard
- QUEELS-XPS Simulation
- Data

ELF-Si
EnergyLossFunction.dll

ELF data

w0	A0	g	a
10	6	5	0.5
14	30	5	0.5
16.8	210	3.8	0.5

File name
ELF-Si

Read Save

Sort osc E_Gap = 0

Number of oscillators = 3

Core excitations
ac = 0.001
bc = -2

Main menu

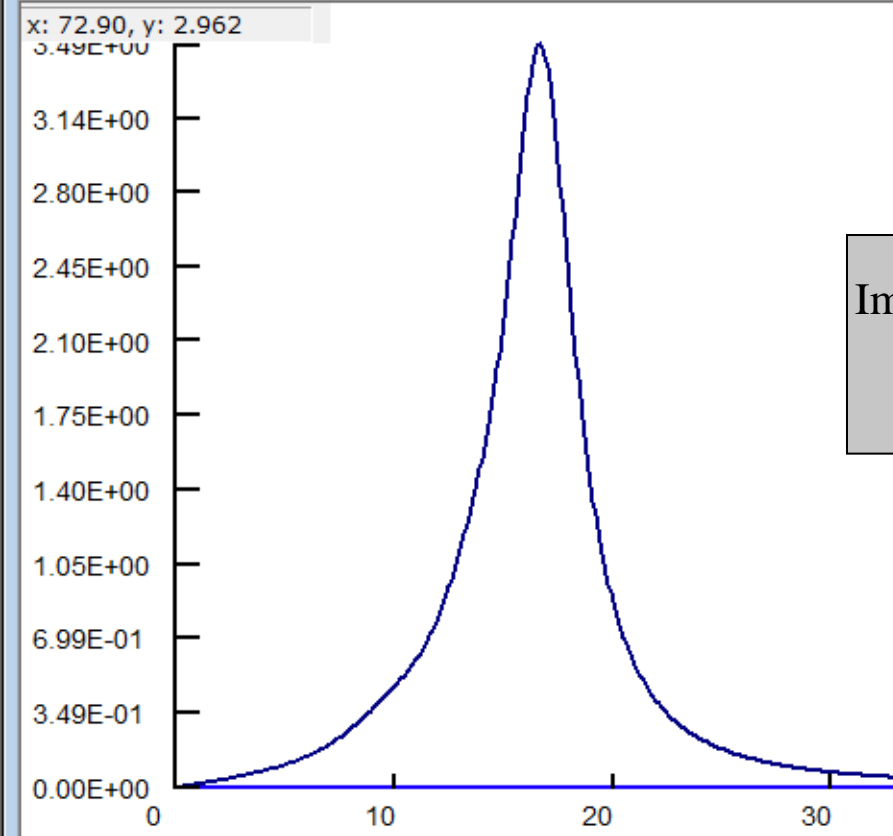
Check for KK-Sum Rule
Refr. index = 4.5
KK-sum = 1.00649

Typical Refr.Index values
Auto Rescale Intnsities
A0 to fulfill KK-sum rule

What is KK - sum rule

Plot ELF
E_Max = 100
E_step = 0.1

Plot ELF



$$\text{Im}\left(-\frac{1}{\varepsilon(k, \omega)}\right) = \sum_i \frac{A_i \gamma_i \hbar \omega}{\left(\left(\hbar \omega_{0i} + \alpha_i \cdot \frac{\hbar^2 k^2}{2m}\right) - \hbar^2 \omega^2\right)^2 + (\gamma_i \hbar \omega)^2}$$

XPS Simulation

c: [Vista]

- C:\
 - Program Files
 - Quases-Tougaard
 - QUEELS-XPS Simulation
 - Data

ELF-Si
EnergyLossFunction.dll

x: .00, y: 0.00E+00

Calculates XPS spectra

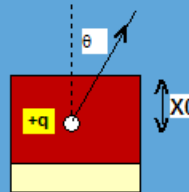
Exit

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XPS Simulation

c: [Vista]

ELF-Si
EnergyLossFunction.dll

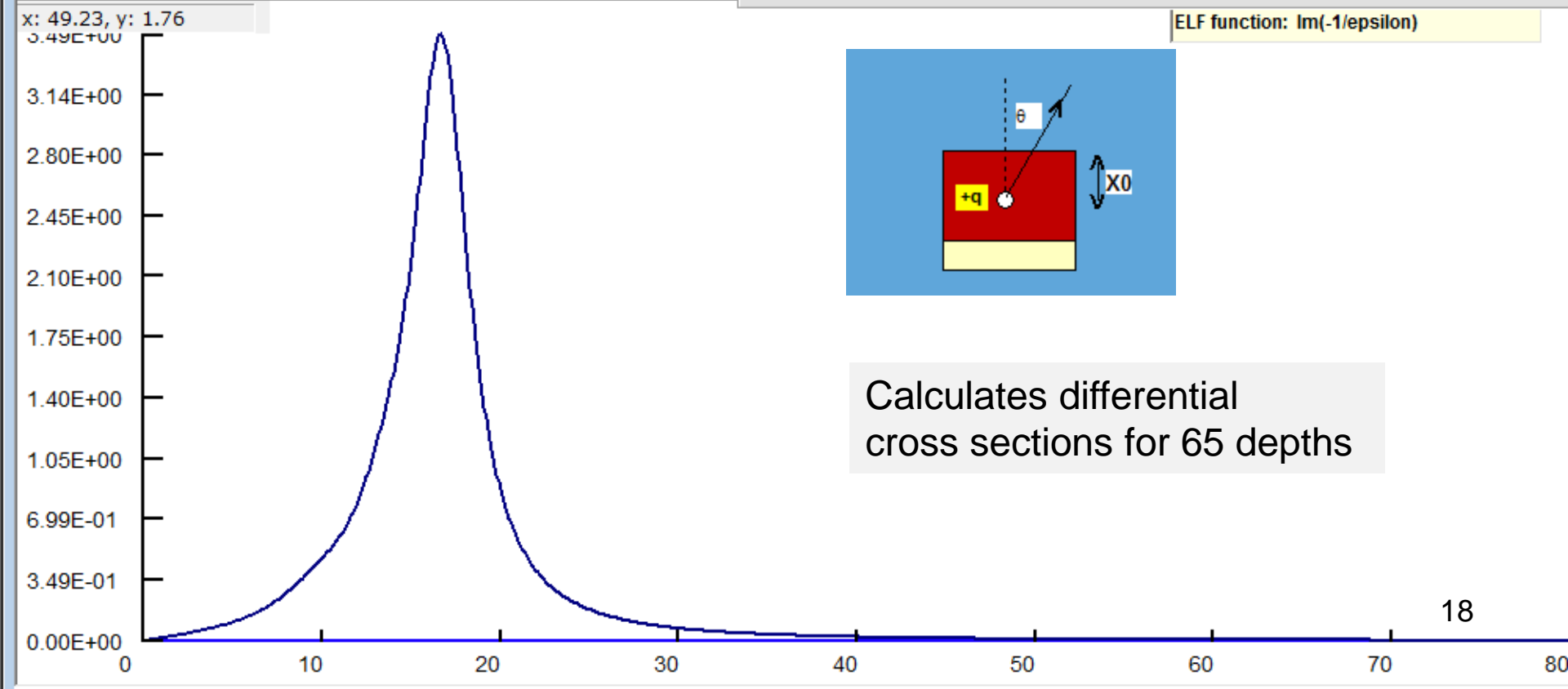
C:\
Program Files
Quases-Tougaard
QUEELS-XPS Simulation
Data

Effective cross sections for photon excited electrons calculated for a wide

1. Click ELF data file in filelist
2. Press ELF-Si
3. Set these parameters
Ep = 1388 Emax = 30 Theta 0 n_integr: 250
Estep = 0.25 Emin = 1 q-hole = 1
4. Press button:

Data arrays are saved in these files (names can be changed)

Keff-total(X0)	Si2p-Keff-XPS-Total	Save for specific X0
Keff electr contrib.(X0)	Si2p-Keff-XPS-Electr	Save for specific X0
Keff hole contrib.(X0)	Si2p-Keff-XPS-hole	Save for specific X0



XPS Simulation

c: [Vista]

- C:\
- Program Files
- Quases-Tougaard
- QUEELS-XPS Simulation
- Data

ELF-Si
EnergyLossFunction.dll
Si2p-Keff-XPS-Electr
Si2p-Keff-XPS-hole
Si2p-Keff-XPS-Total

Effective cross sections for photon excited electrons calculated for a wide

1. Click ELF data file in filelist Total Calc time 1.1 min

2. Press ELF-Si

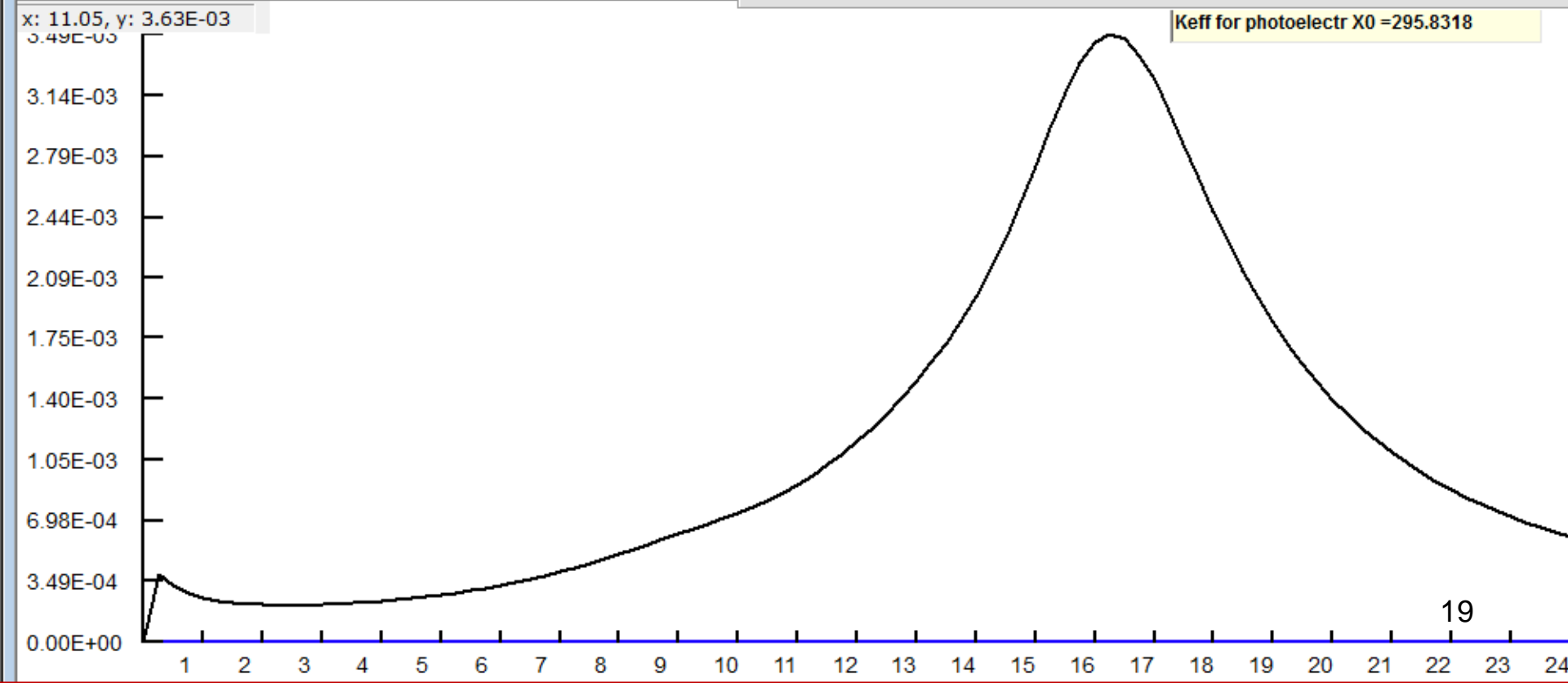
3. Set these parameters

Ep = 1388 Emax = 30 Theta 0 n_integr: 250
Estep = 0.25 Emin = 1 q-hole = 1

4. Press button:

Data arrays are saved in these files (names can be changed)

<input type="button" value="Keff-total(X0)"/>	<input type="button" value="Si2p-Keff-XPS-Total"/>	<input type="button" value="Save for specific X0"/>
<input type="button" value="Keff electr contrib.(X0)"/>	<input type="button" value="Si2p-Keff-XPS-Electr"/>	<input type="button" value="Save for specific X0"/>
<input type="button" value="Keff hole contrib.(X0)"/>	<input type="button" value="Si2p-Keff-XPS-hole"/>	<input type="button" value="Save for specific X0"/>



XPS Simulation

c: [Vista]

- C:\
- Program Files
- Quases-Tougaard
- QUEELS-XPS Simulation
 - Data

ELF-Si
EnergyLossFunction.dll
Si2p-Keff-XPS-Electr
Si2p-Keff-XPS-hole
Si2p-Keff-XPS-Total

Effective cross sections for photon excited electrons calculated for a wide

1. Click ELF data file in filelist Total Calc time 1.1 min

2. Press ELF-Si

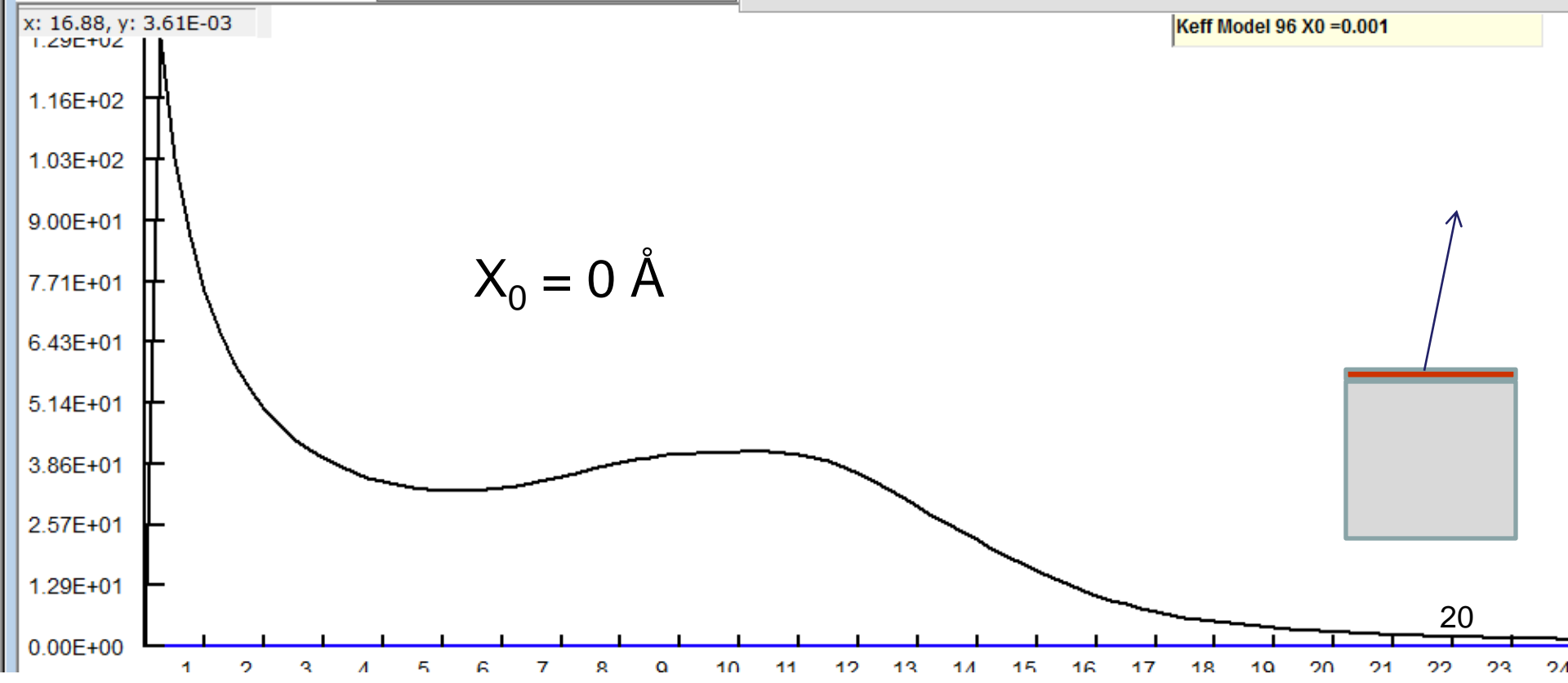
3. Set these parameters
Ep = 1388 Emax =
Estep =

4. Press button:

Data arrays are saved in these files (name)

Keff-total(X0)	Si2p-Keff-XPS-Total
Keff electr contrib.(X0)	Si2p-Keff-XPS-Electr
Keff hole contrib.(X0)	Si2p-Keff-XPS-hole

Plot and Save
Layer 1 X0 = 0.001
Save to file: Keff(0.001)



XPS Simulation

c: [Vista]

- C:\
- Program Files
- Quases-Tougaard
- QUEELS-XPS Simulation
- Data

ELF-Si
EnergyLossFunction.dll
Si2p-Keff-XPS-Electr
Si2p-Keff-XPS-hole
Si2p-Keff-XPS-Total

Effective cross sections for photon excited electrons calculated for a wide

1. Click ELF data file in filelist Total Calc time 1.1 min

2. Press ELF-Si

3. Set these parameters
Ep = 1388 Emax =
Estep =

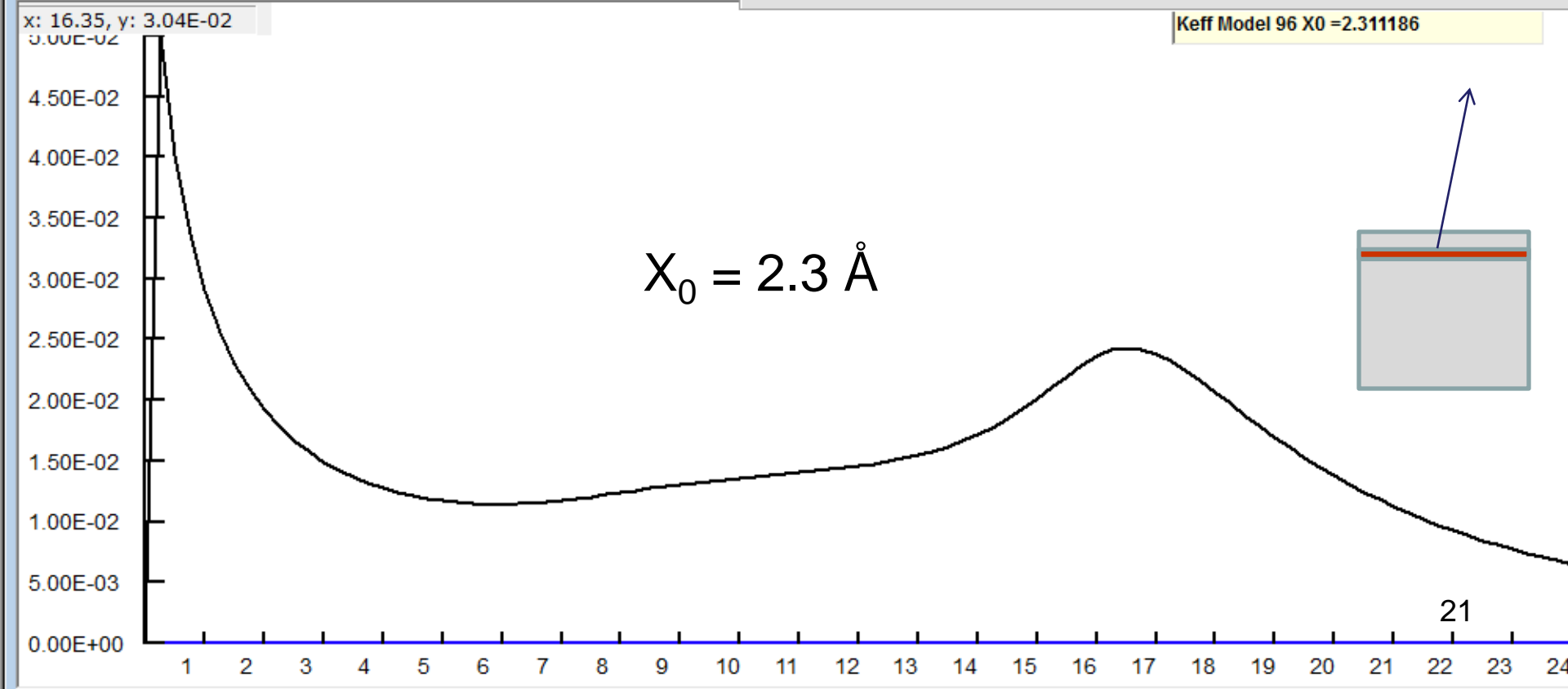
4. Press button:

Data arrays are saved in these files (name)

Keff-total(X0)	Si2p-Keff-XPS-Total
Keff electr contrib.(X0)	Si2p-Keff-XPS-Electr
Keff hole contrib.(X0)	Si2p-Keff-XPS-hole

Layer 2 X0 = 2.31118

Save to file: Keff(2.311186)



XPS Simulation

c: [Vista]

- C:\
- Program Files
- Quases-Tougaard
- QUEELS-XPS Simulation
 - Data

ELF-Si
EnergyLossFunction.dll
Si2p-Keff-XPS-Electr
Si2p-Keff-XPS-hole
Si2p-Keff-XPS-Total

Effective cross sections for photon excited electrons calculated for a wide

1. Click ELF data file in filelist Total Calc time 1.1 min

2. Press ELF-Si

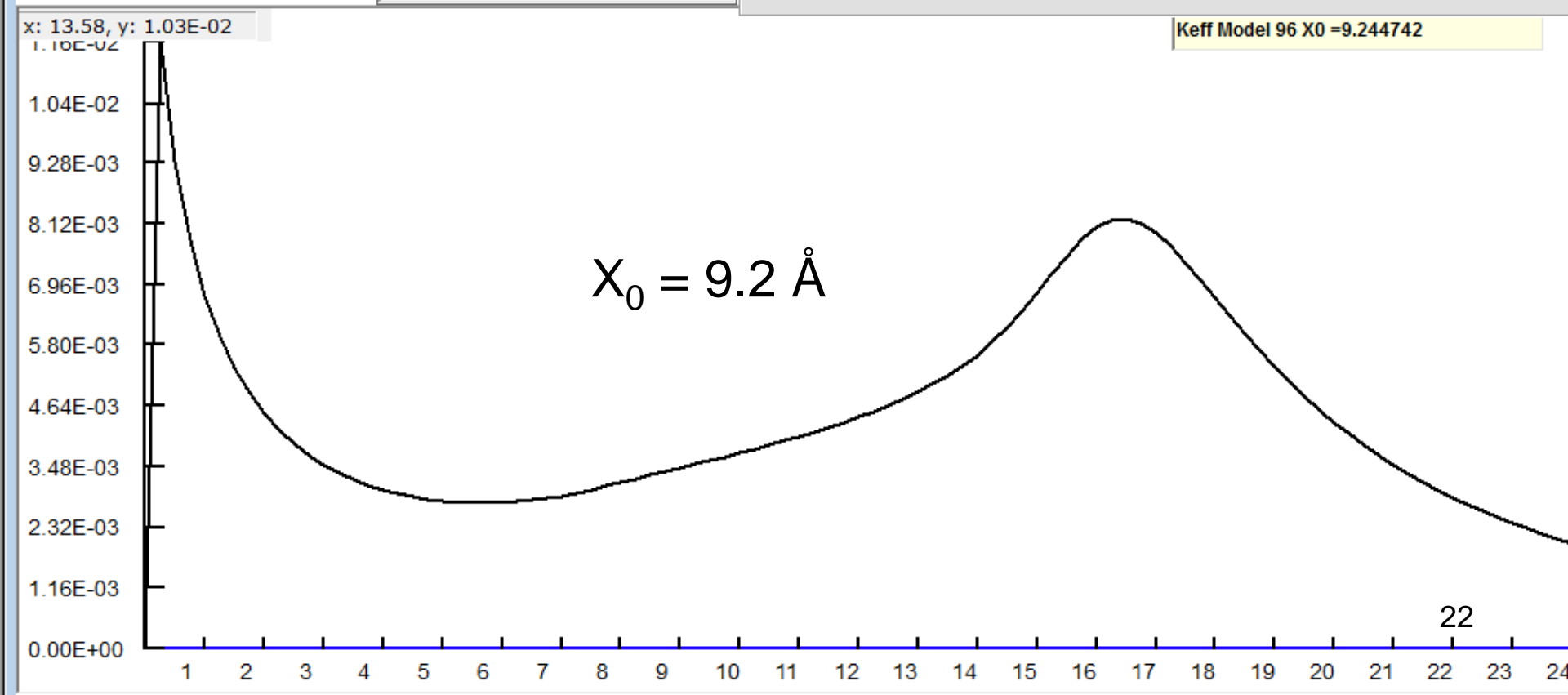
3. Set these parameters

4. Press button:

Save to file:

Data arrays are saved in these files (name)

<input type="text" value="Keff-total(X0)"/>	<input type="text" value="Si2p-Keff-XPS-Total"/>	<input type="button" value="Save for specific X0"/>
<input type="text" value="Keff electr contrib.(X0)"/>	<input type="text" value="Si2p-Keff-XPS-Electr"/>	<input type="button" value="Save for specific X0"/>
<input type="text" value="Keff hole contrib.(X0)"/>	<input type="text" value="Si2p-Keff-XPS-hole"/>	<input type="button" value="Save for specific X0"/>



XPS Simulation

c: [Vista]

- C:\
- Program Files
- Quases-Tougaard
- QUEELS-XPS Simulation
- Data

ELF-Si
EnergyLossFunction.dll
Si2p-Keff-XPS-Electr
Si2p-Keff-XPS-hole
Si2p-Keff-XPS-Total

Effective cross sections for photon excited electrons calculated for a wide

1. Click ELF data file in filelist Total Calc time 1.1 min

2. Press ELF-Si

3. Set these parameters
Ep = 1388 Emax =
Estep =

4. Press button:

Data arrays are saved in these files (name)

Keff-total(X0)	Si2p-Keff-XPS-Total
Keff electr contrib.(X0)	Si2p-Keff-XPS-Electr
Keff hole contrib.(X0)	Si2p-Keff-XPS-hole

Save for specific X0

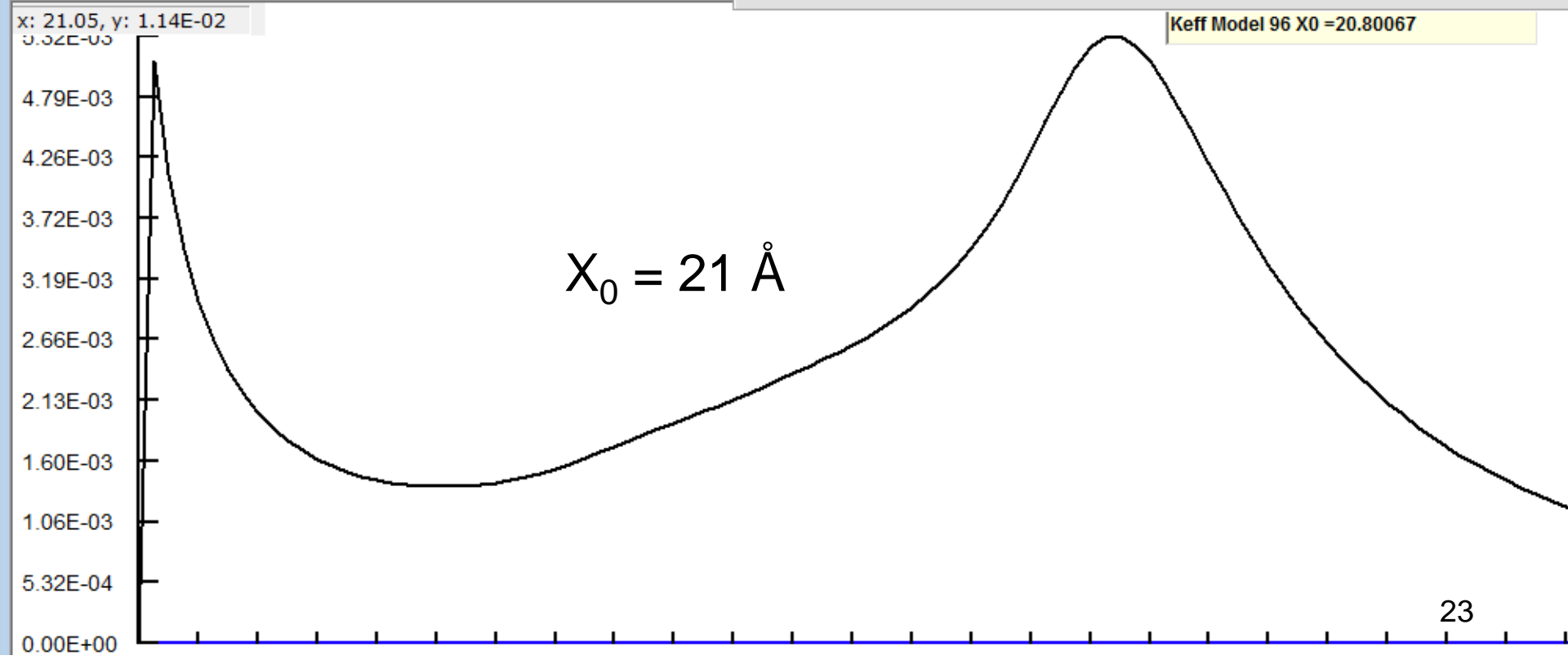
Save for specific X0

Main menu

Plot and Save

Layer 10 X0 = 20.8006

Save to file: Keff(20.80067)



XPS Simulation

c: [Vista]

- C:\
- Program Files
- Quases-Tougaard
- QUEELS-XPS Simulation
- Data

ELF-Si
EnergyLossFunction.dll
Si2p-Keff-XPS-Electr
Si2p-Keff-XPS-hole
Si2p-Keff-XPS-Total

Effective cross sections for photon excited electrons calculated for a wide

1. Click ELF data file in filelist Total Calc time 1.1 min

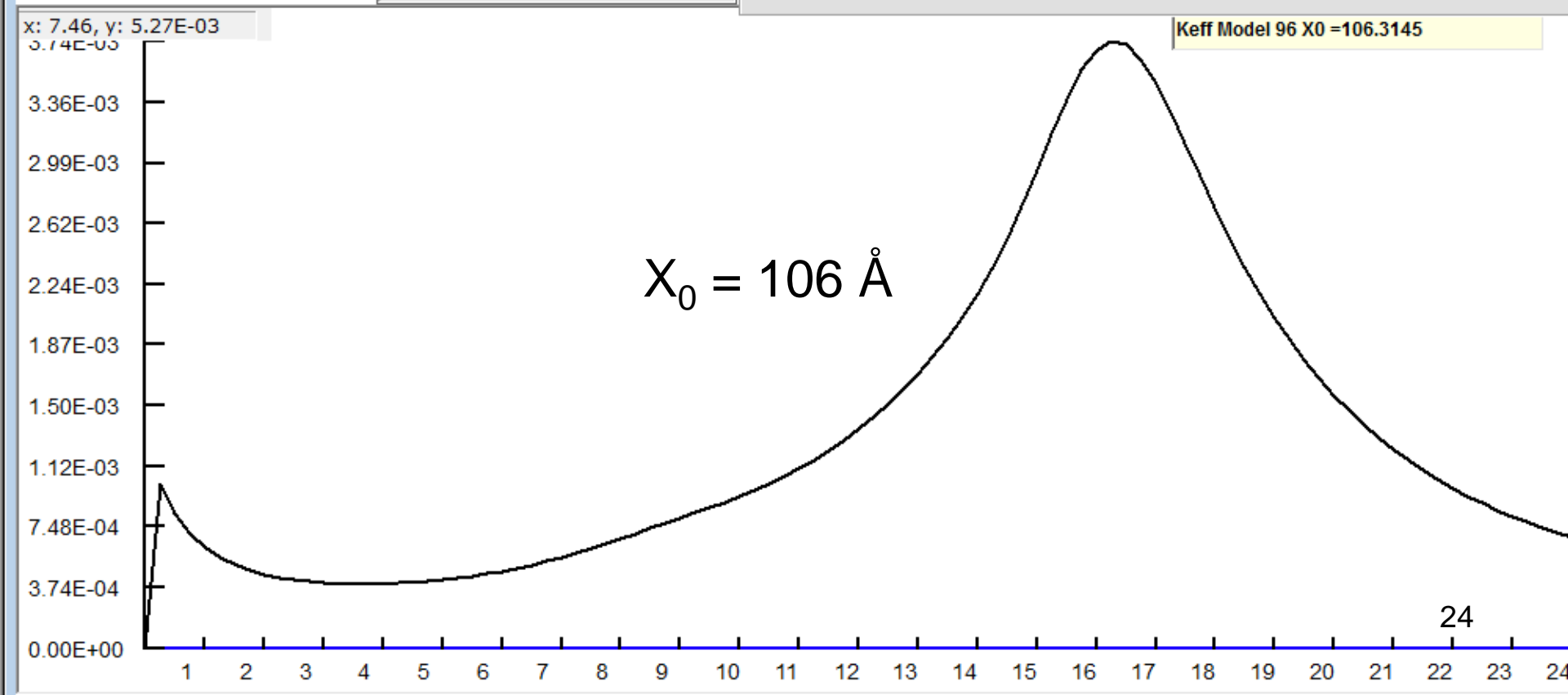
2. Press ELF-Si

3. Set these parameters

4. Press button:

Data arrays are saved in these files (name)

<input type="text" value="Keff-total(X0)"/>	<input type="text" value="Si2p-Keff-XPS-Total"/>	<input type="button" value="Save for specific XO"/>
<input type="text" value="Keff electr contrib.(X0)"/>	<input type="text" value="Si2p-Keff-XPS-Electr"/>	<input type="button" value="Save IMFPeff"/>
<input type="text" value="Keff hole contrib.(X0)"/>	<input type="text" value="Si2p-Keff-XPS-hole"/>	<input type="button" value="Cancel"/>



XPS Simulation

c: [Vista]

- C:\
 - Program Files
 - Quases-Tougaard
 - QUEELS-XPS Simulation
 - Data

ELF-Si
 EnergyLossFunction.dll
 Si2p-Keff-XPS-Electr
 Si2p-Keff-XPS-hole
 Si2p-Keff-XPS-Total

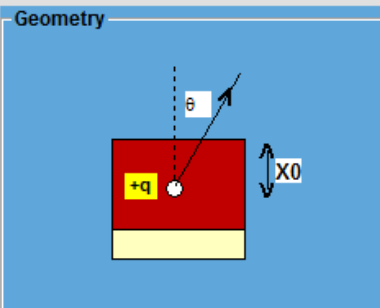
Calculates XPS spectra

Exit

Set ELF oscillators

Calculate set of cross sections

Calculate averaged cross section $K_{eff,av}$ for XPS



Information

The software package calculates

1. Effective cross sections for photoelectrons excited at 65 different depths (eq.(2) in ref.[1]).
2. From the cross sections calculated in 1., the XPS - energy loss spectrum is calculated for a film of any thickness.

The material is characterized by its dielectric response function ELF.

The calculation take into account the effect of the core

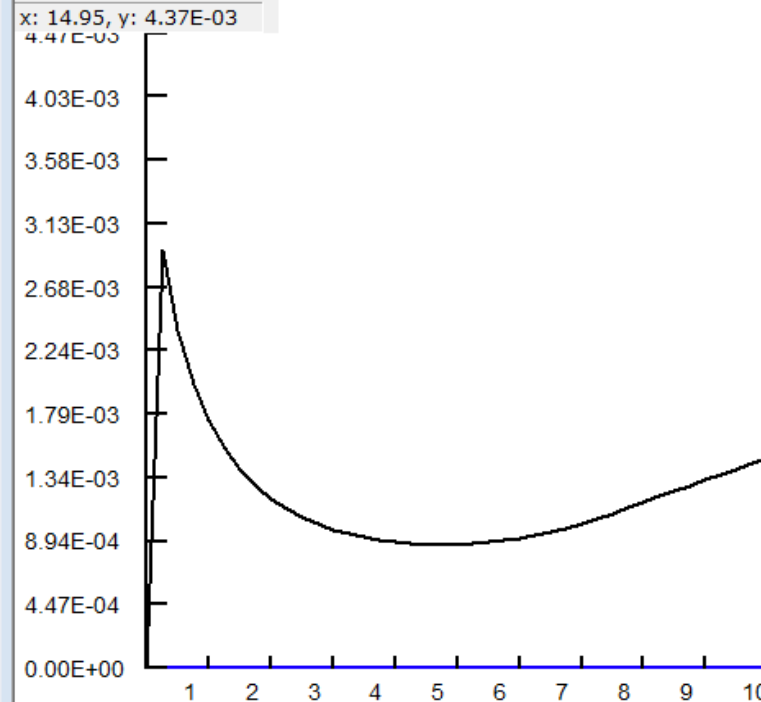
The calculations build on the theory in

1. AC Simonsen, F Yubero, and S Tougaard Phys. Rev. B56, p. 1612 (1997)
2. F Yubero and S Tougaard Phys Rev B71, 045414 (2005)
3. F Yubero, L Kover, W Drube, T Eickhoff, S Tougaard, Surf. Sci. 592 p. 1 (2005)
4. Z Berenyi et al, J Electr. Spectr and Rel. Phen. 135, p. 177 (2004)
5. L Kover et al. Surf. Interf. Anal. 38, p. 569 (2006)
6. S Tougaard, F Yubero Surf Interf Anal. 36, p. 824 (2004)

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Sven Tougaard, University of Southern Denmark
 and
 Francisco Yubero ICMS, Seville, Spain

The software is free for non commercial use



c: [Vista]

- C:\
 - Program Files
 - Quases-Tougaard
 - QUEELS-XPS Simulation
 - Data

ELF-Si
EnergyLossFunction.dll
Si2p-Keff-XPS-Electr
Si2p-Keff-XPS-hole
Si2p-Keff-XPS-Total

Calculate the effective XPS-cross section from Keff(X0)

1. Click Keff(X0) data file in

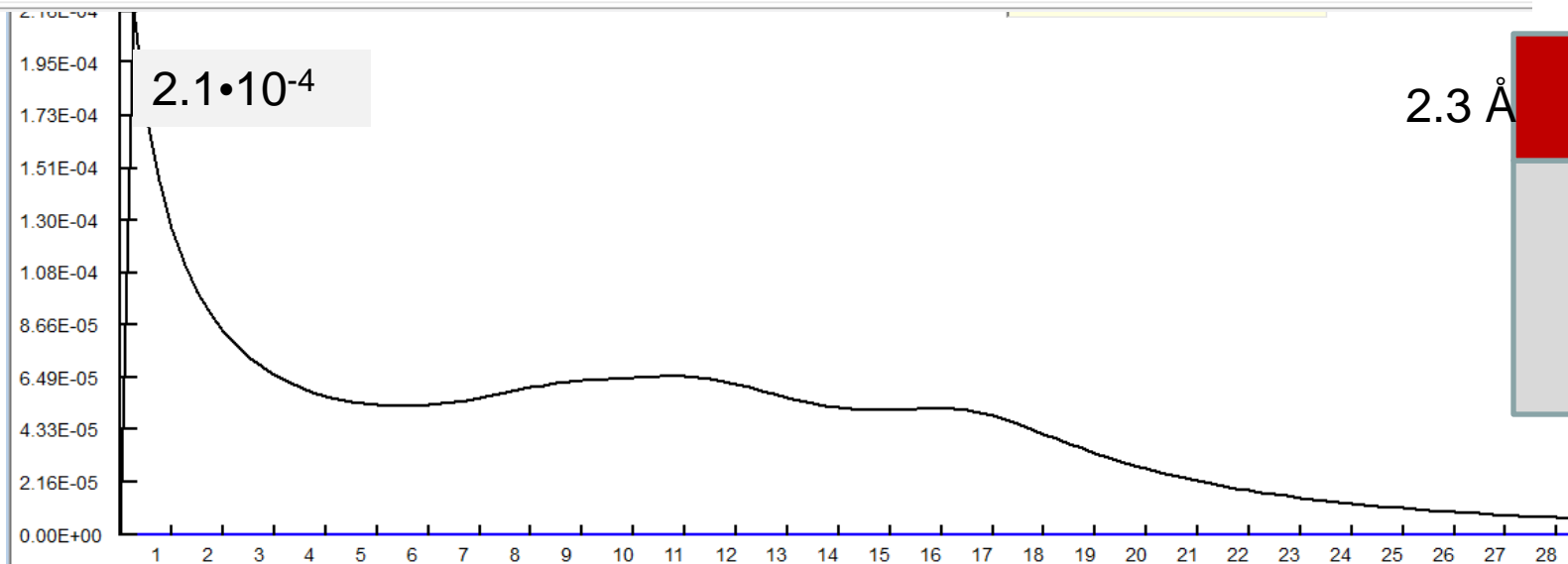
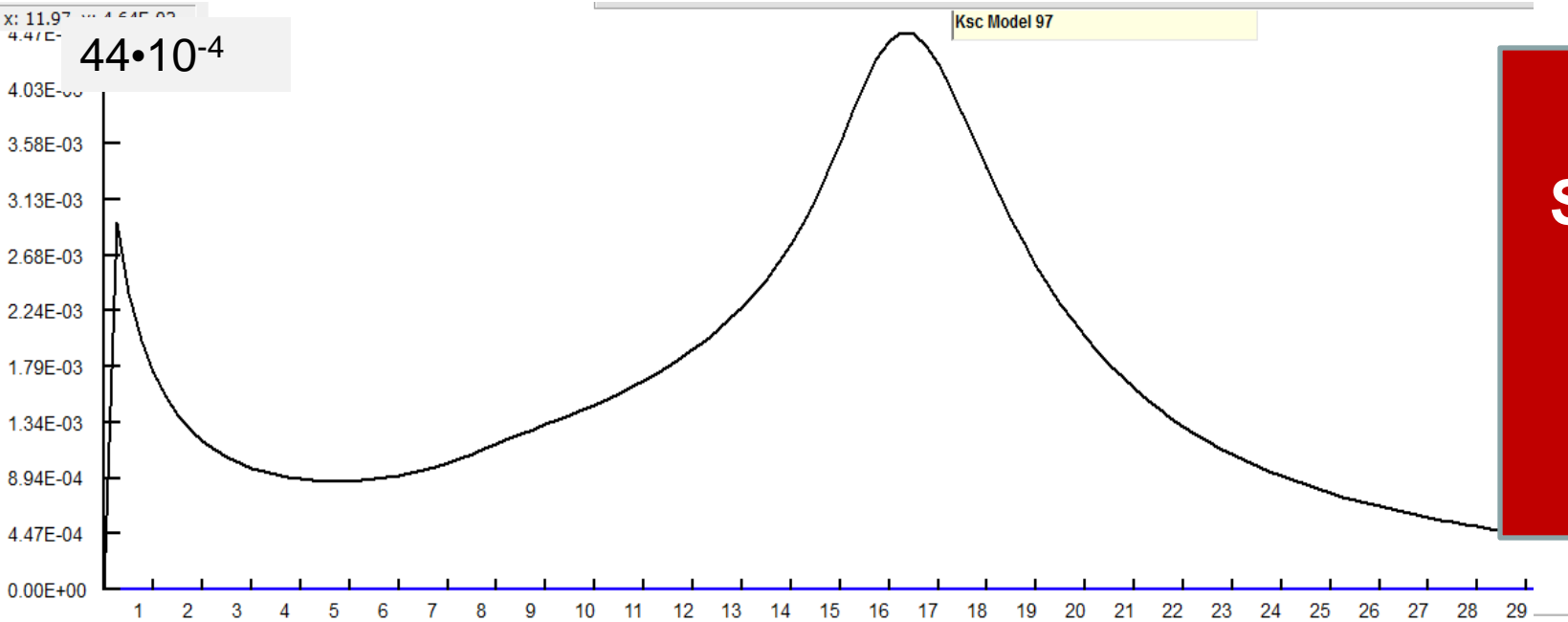
2. Press

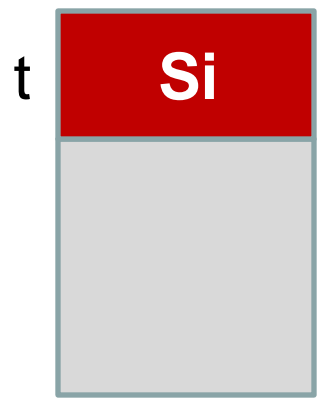
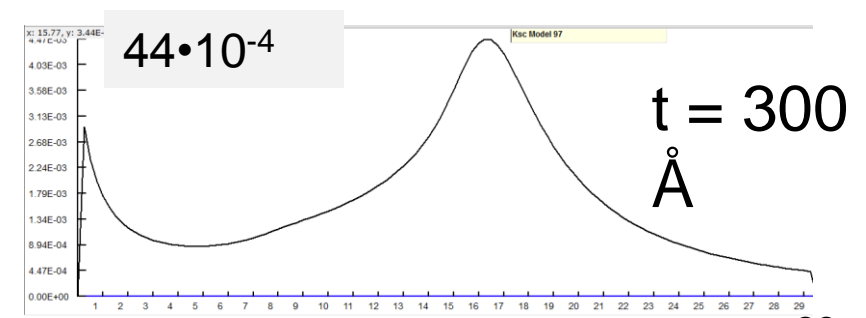
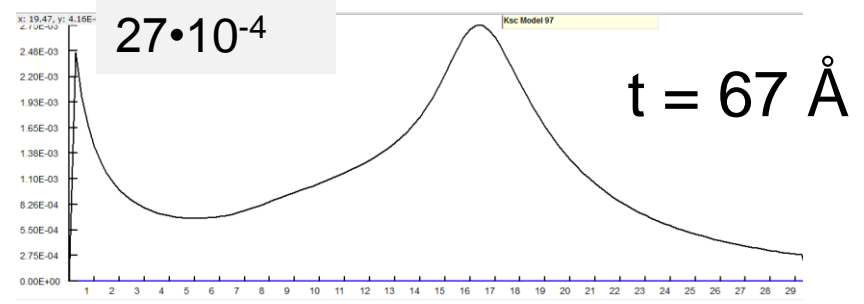
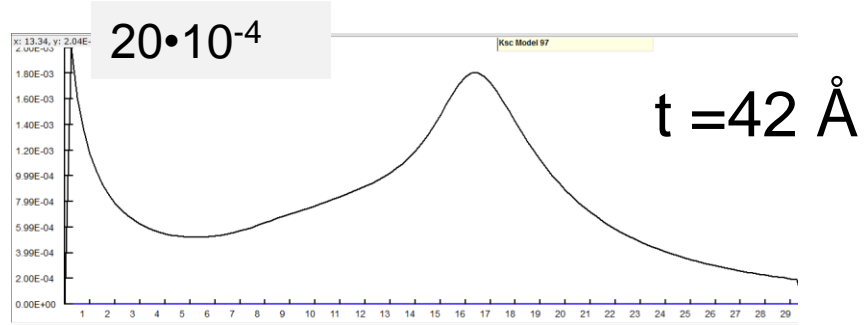
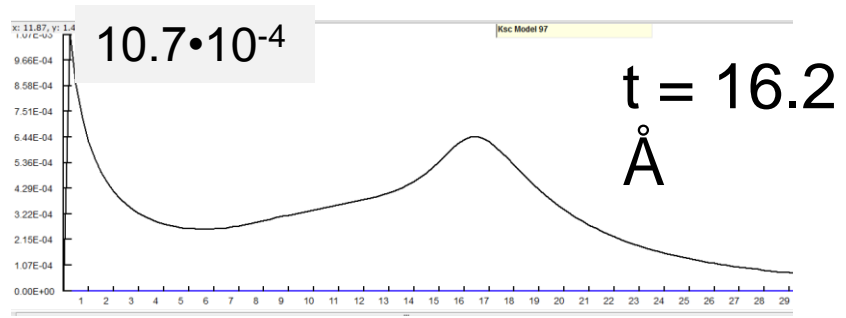
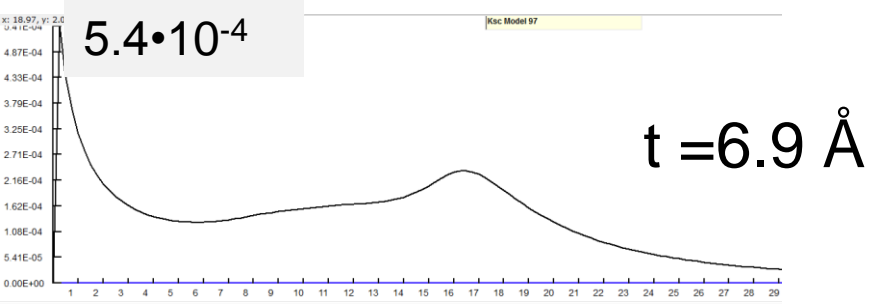
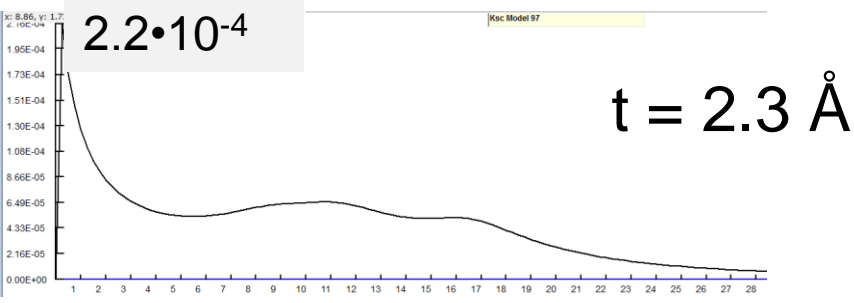
3. Press one of the buttons:

Start depth = 0
End layer =
End depth =

x: .00, y: 0.00E+00

Calculated cross section



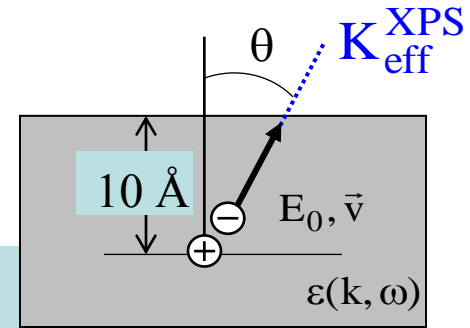


QUEELS-XPS software package

Semi-classical dielectric response model

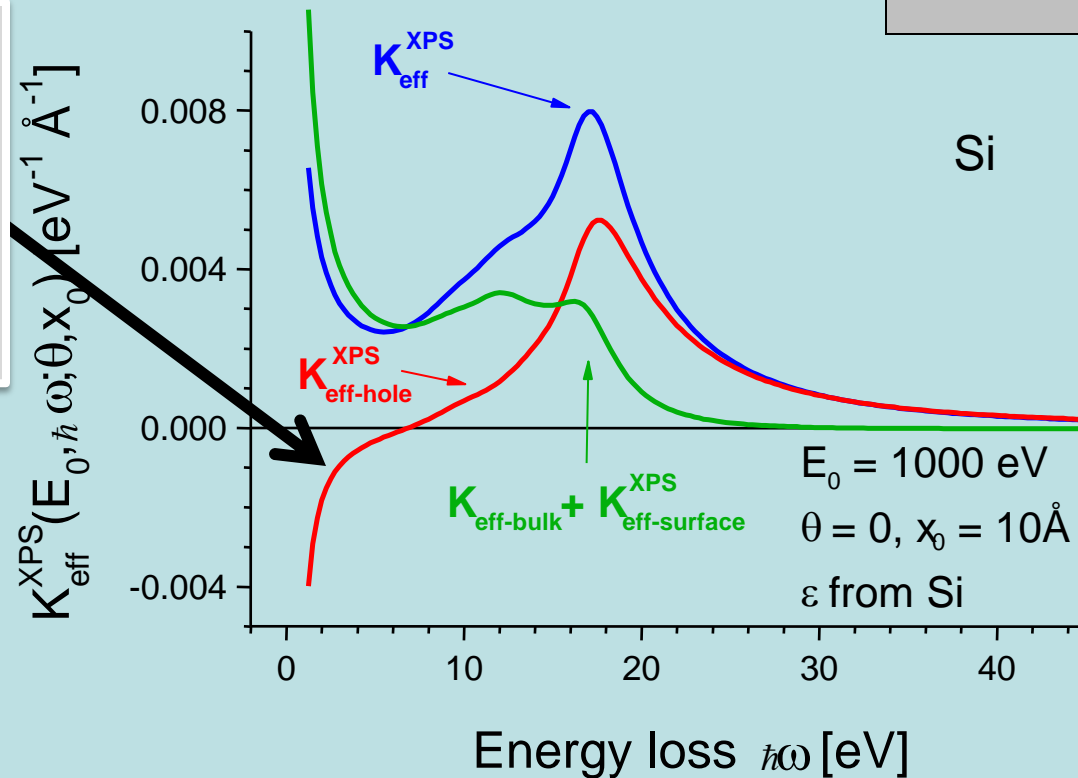
1. QUEELS- $\epsilon(k,\omega)$ -REELS Semi-classical dielectric response model
2. The XPS- Semiclassical dielectric response model
Extrinsic and intrinsic excitations
3. The QUEELS-XPS software Package
4. The validity of the model
quantitative comparison with experiments

Effect of the static hole



The negative part is due to the interference between surface, core, and bulk excitations.

The total cross sect is always > 0 .

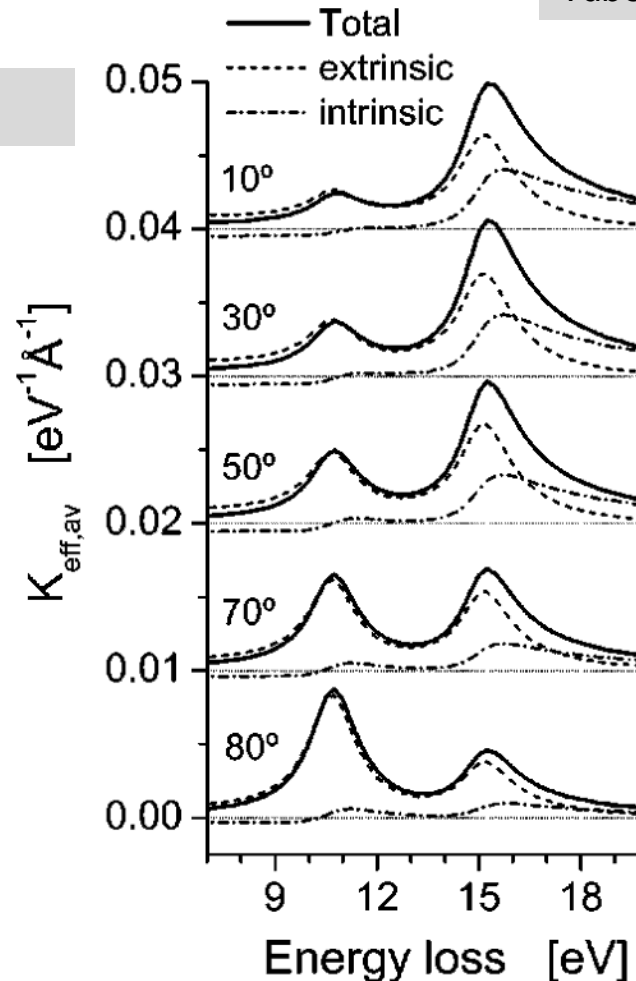


The hole contributes with a significant intensity to the bulk plasmon

Effect of the static hole – intrinsic excitations

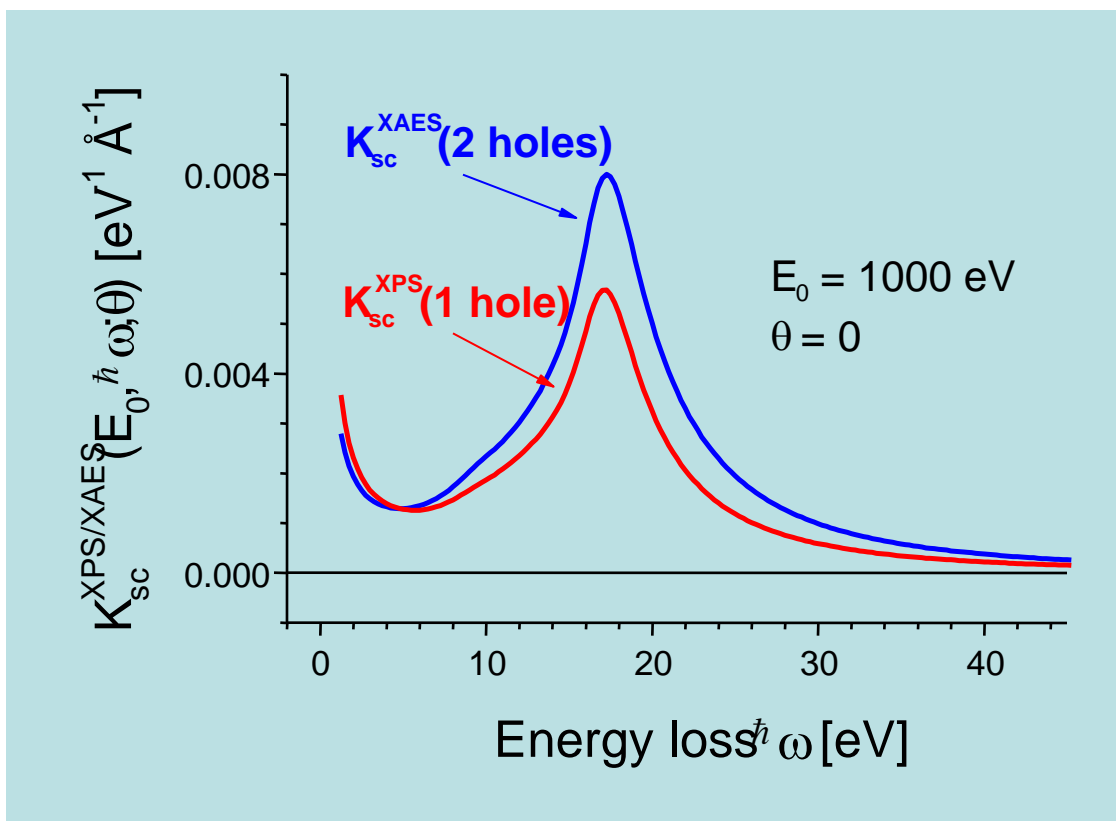
Yubero, Tougaard: SIA 36(2004)824

XPS- energy loss for Al



the hole contributes little to the surface plasmon but a lot to the bulk plasmon.

Two holes left behind... Auger emission



The intensity of the plasmon excited is larger for 2 holes than for 1 hole

Note: Only input in the theory is
the dielectric function $\epsilon(k,\omega)$

$\epsilon(k,\omega)$ can be taken

from literature or

easily be determined from analysis of a REELS
spectrum using the QUEELS- $\epsilon(k,\omega)$ -REELS
software package

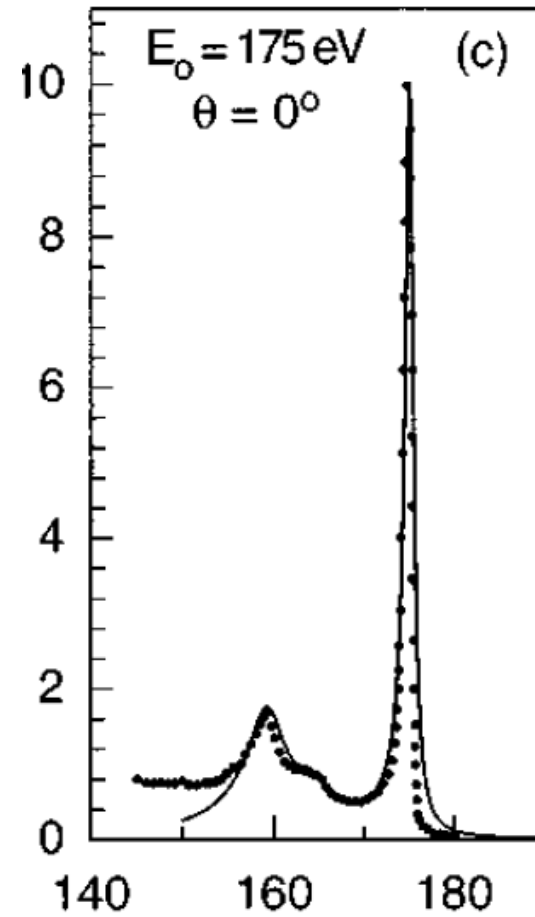
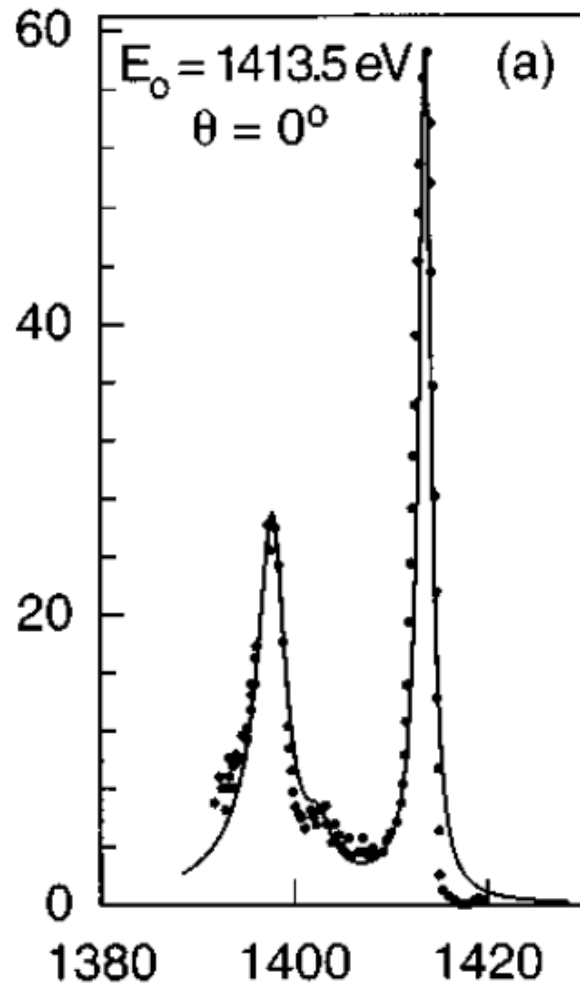
QUEELS-XPS software package

Semi-classical dielectric response model

1. Intro: REELS Semi-classical dielectric response model
QUEELS- $\epsilon(k,\omega)$ -REELS software package
2. The XPS- Semiclassical dielectric response model
Extrinsic and intrinsic excitations
3. The QUEELS-XPS software Package
4. The validity of the model
quantitative comparison with experiments

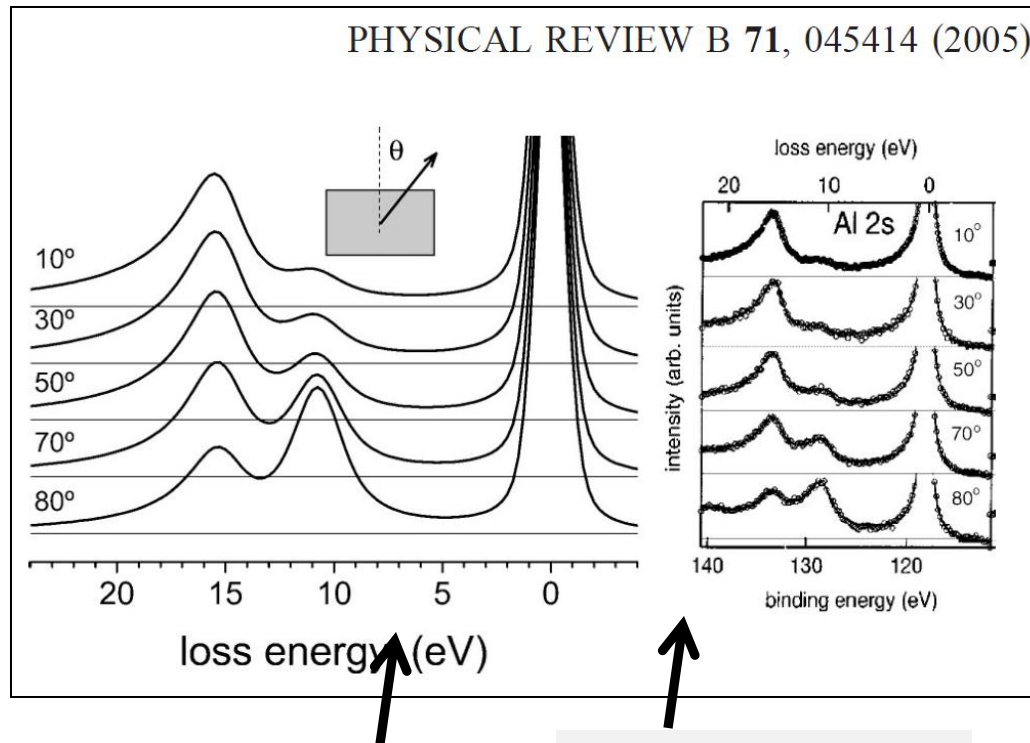
Si2p photoemission
compared to experiment

Phys. Rev.B56 (1997)1612



Variation of emission angle

Al 2s



XPS theory

XPS experiment

Comparison is on an absolute scale

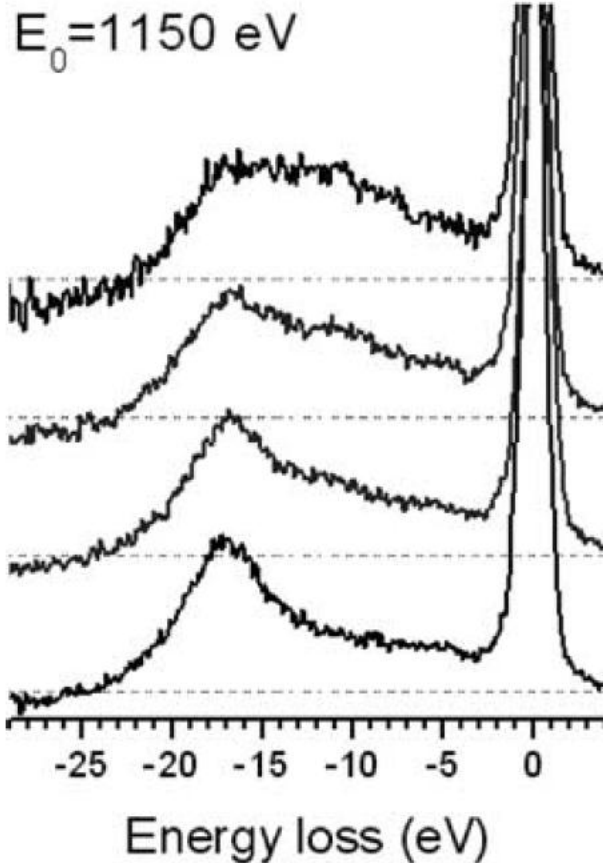
Only input in the theory is $\epsilon(k, \omega)$

Variation of emission angle

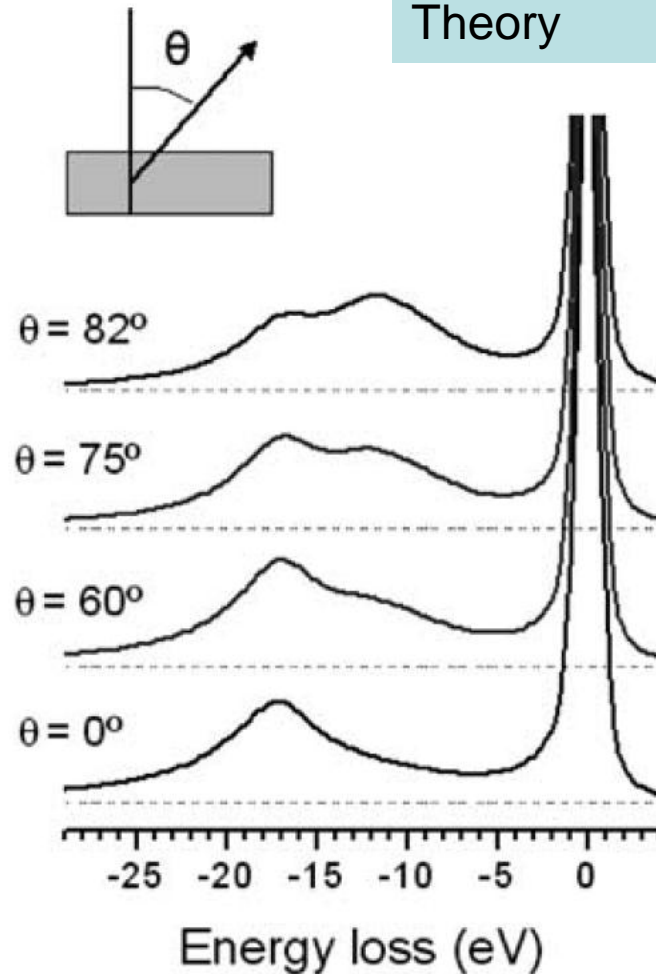
Yubeo et al Surf Sci 592 (2005) 1

Si 2p

Experiment

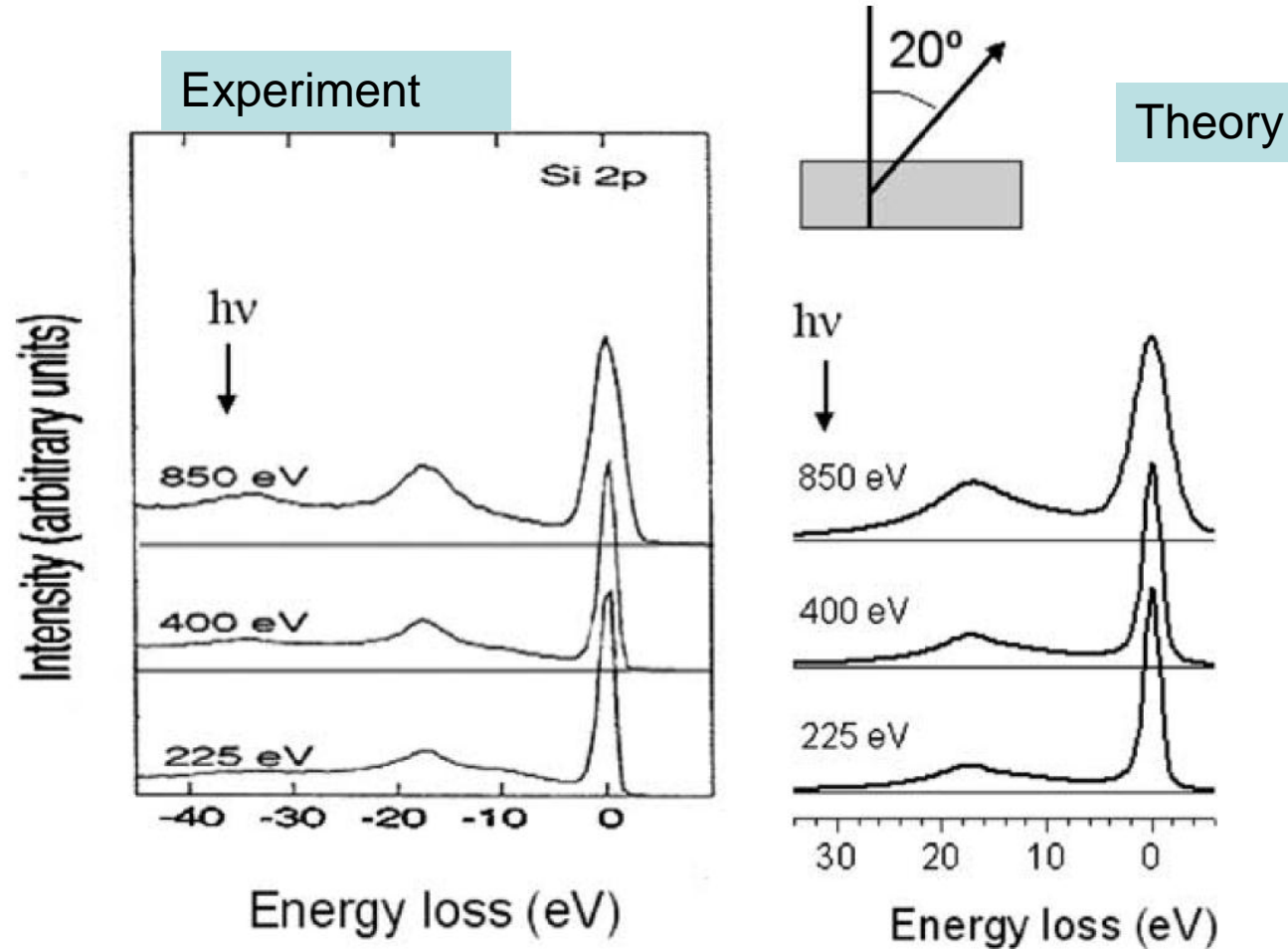


Theory



Variation of photon energy 225-850 eV

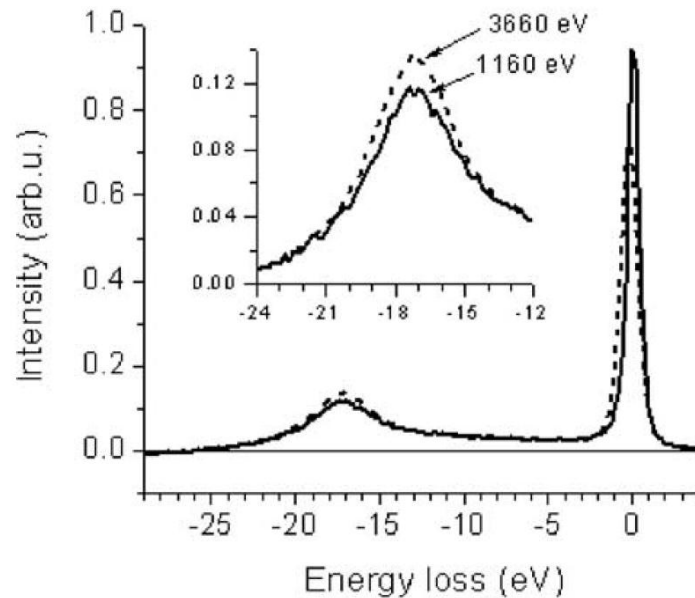
Yubeo et al Surf Sci 592 (2005) 1



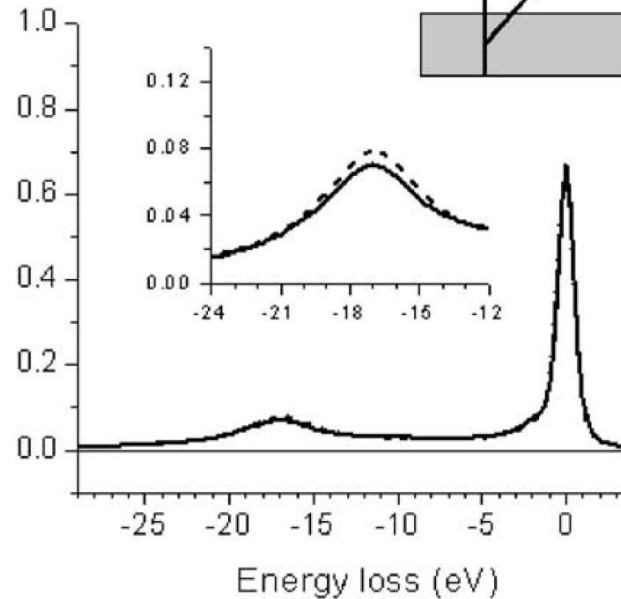
Variation of photon energy 3000 eV – 5500 eV

Si 1s

Experiment

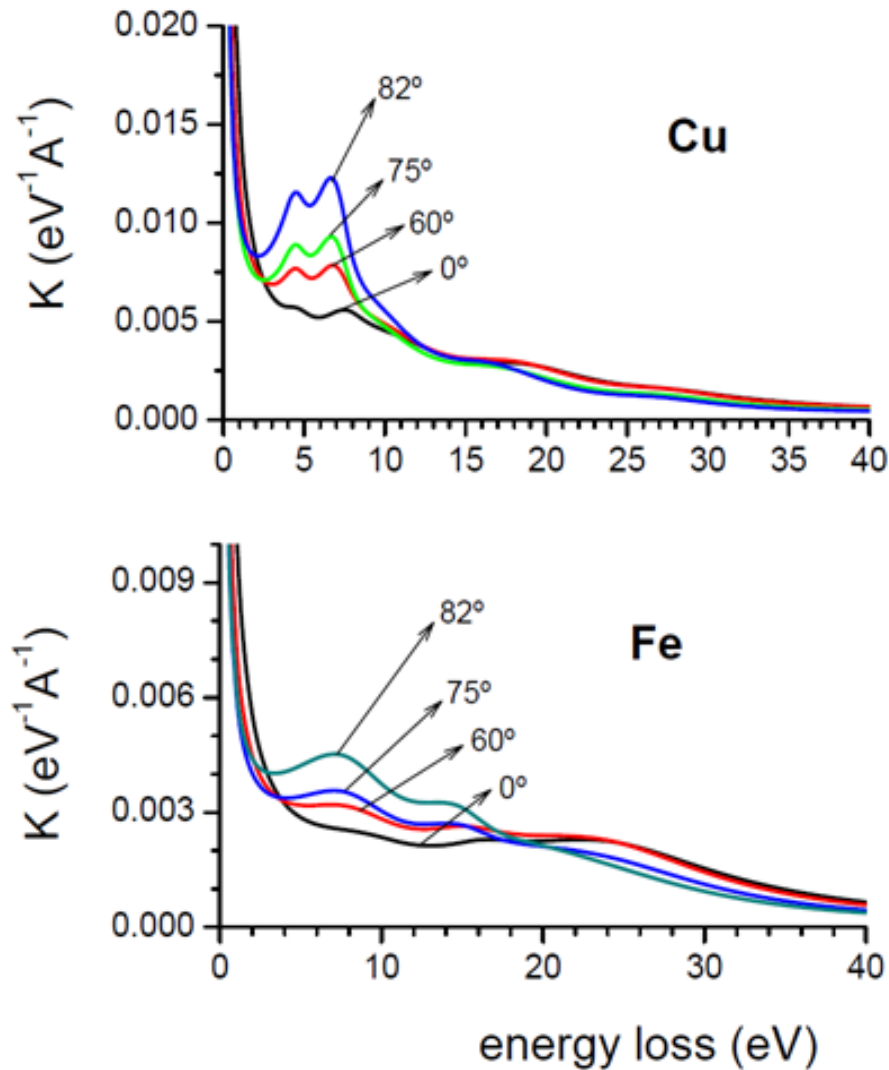


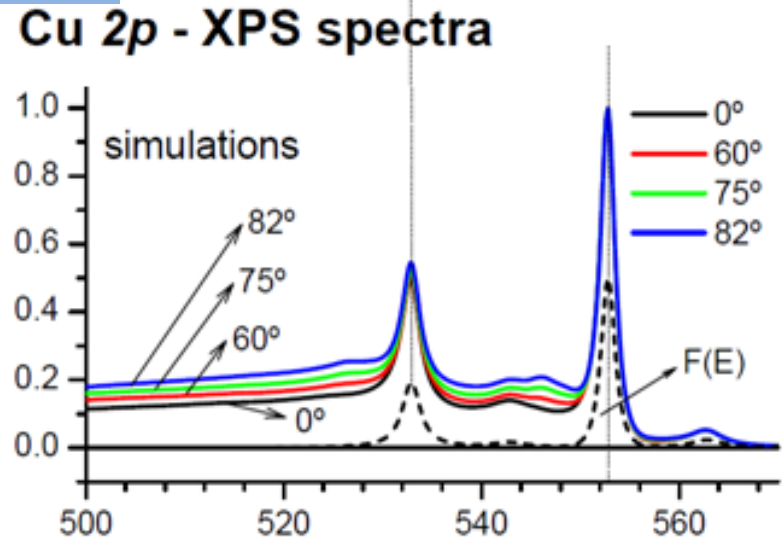
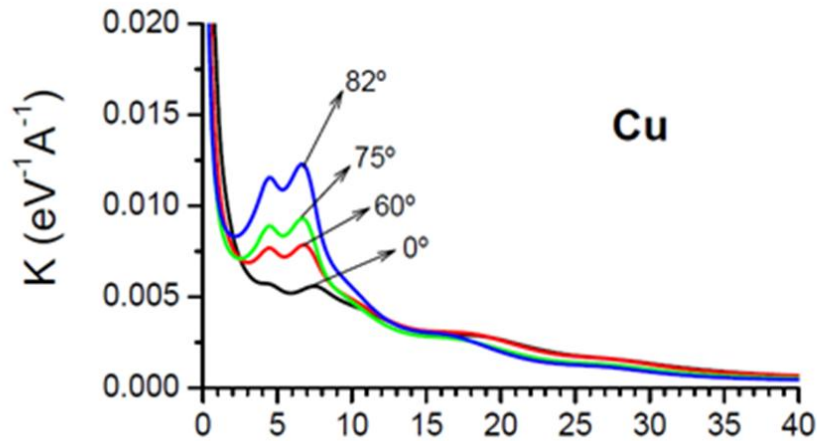
Theory



Higher photon energy gives larger intrinsic plasmon
(less time to relax and screen the hole potential).

Theory

Calculated effective energy loss function $K(T)$ 



$$J(E) \propto F(E) + \lambda \int_E^\infty F(E') K(E_0, E' - E) dE' + \sum_{n=2}^\infty J_n$$

Photo-excited spectrum

First scattering

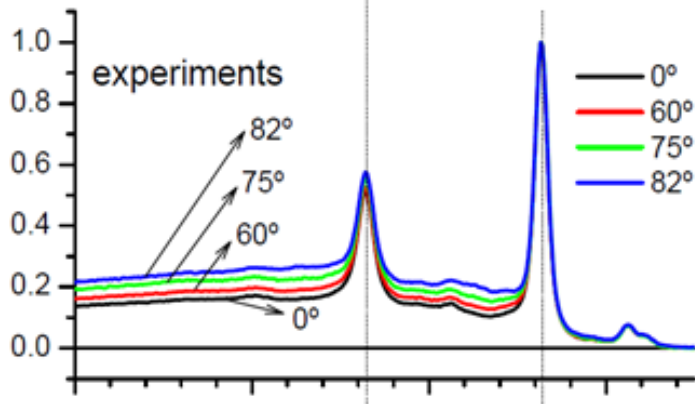
Multiple scattered electrons

Experiment

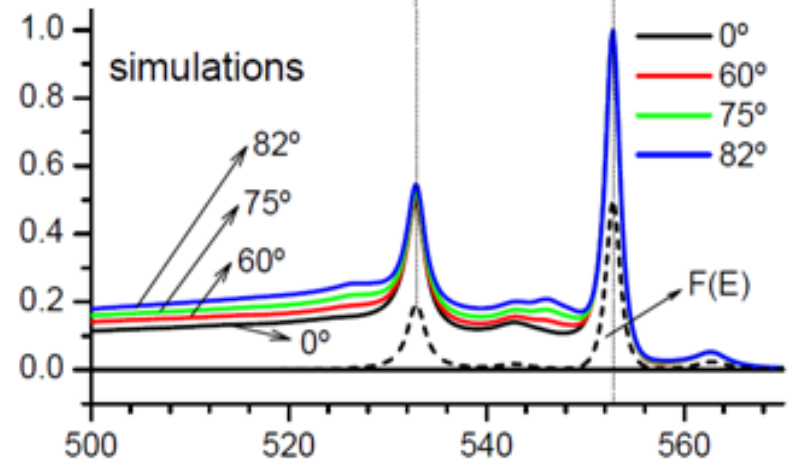
Cu2p

Theory

Cu 2p - XPS spectra



Cu 2p - XPS spectra

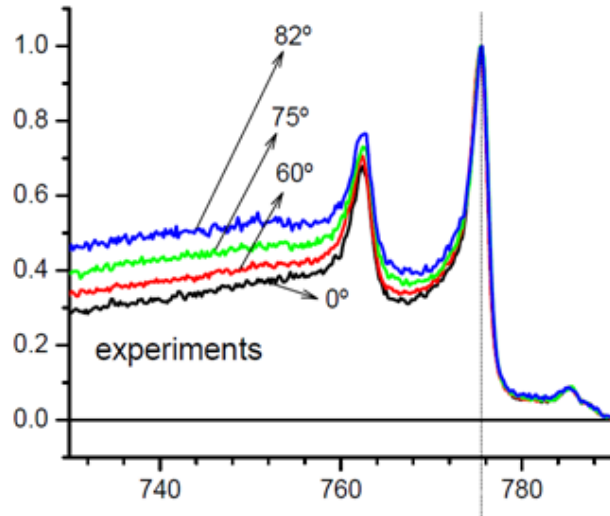


Experiment

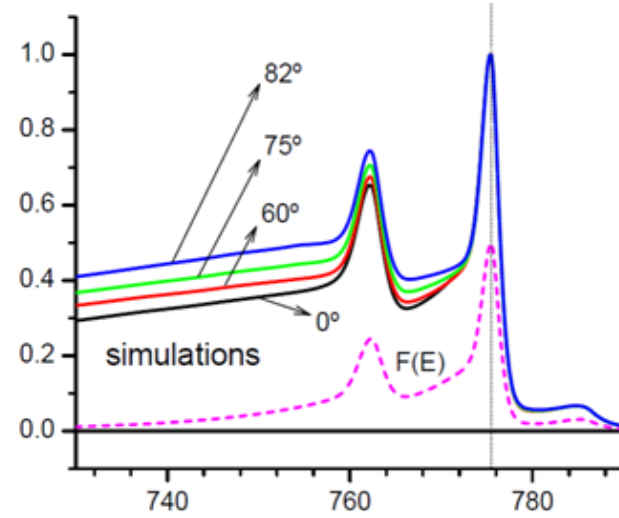
Fe2p

Theory

Fe 2p - XPS spectra



Fe 2p - XPS spectra



QUEELS-XPS software package

Conclusion:

The semiclassical dielectric model for photoemission reproduces rather well quantitatively the angular and energy dependence of the energy loss processes

We hope the XPS-model and QUEELS-XPS software package will be useful to gain better quantitative understanding of the photo-excitation process

The software was used for the work presented by N. Pauly this morning

QUEELS-XPS software package

Semi-classical dielectric response model

1. Intro: REELS Semi-classical dielectric response model
QUEELS- $\epsilon(k,\omega)$ -REELS software package
2. The XPS- Semiclassical dielectric response model
Extrinsic and intrinsic excitations
3. The QUEELS-XPS software Package
4. The validity of the model
quantitative comparison with experiments

The software was used in the talk by Nicolas Pauly Tuesday morning.

”New parameter to correct for surface and core hole effects in XPS”

XPS Simulation

c: [Vista]

- C:\
- Program Files
- Quases-Tougaard
- QUEELS-XPS Simulation
- Data

- ELF-Si
- EnergyLossFunction.dll
- Si2p-Keff-XPS-Electr
- Si2p-Keff-XPS-hole
- Si2p-Keff-XPS-Total

Calculate the effective XPS-cross section from Keff(X0)

1. Click Keff(X0) data file in

2. Press Si2p-Keff-XPS

3. Press one of the buttons:

Plot and Save

Layer 1 X0 = 0.001

Save to IMFPeff-1

End depth = 295.8318

Information

This calculates eq. () in B.1997 by Simonsen, Yu Tougaard from the cross

